## CHAPTER-12 LINEAR PROGRAMMING PROBLEMS

## 03 MARKS TYPE QUESTIONS

Q. NO	QUESTIONS	MARK
1.	If The corner points of the feasible region of an LPP are $(0, 0)$ $(0, 8)$ , $(2, 7)$ , $(5, 4)$ and $(6, 0)$ .	3
	Then at what point the maximum profit $P = 3x + 2yP = 3x + 2y$ occurs.	
2.	A health enthusiast wishes to mix two types of foods in his diet, in such a way that vitamin	3
	content of the mixture contains at least 10 units of vitamin B and 13 units of vitamin C. Food	-
	(F1) contains 1 unit/kg of vitamin B and 2 units/kg of vitamin C. Food (F2) contains 2	
	unit/kg of vitamin B and contains 1 unit/kg of vitamin C. F1 costs Rs 60/kg and F2 costs Rs	
	80/kg. Frame his diet plan making a linear programming problem in order to minimize the	
	cost of the mixture.	
3.	A small firm manufacturers gold rings and chains. The total number of rings and chains	3
	manufactured per day is atmost 24. it takes 1 hour to make ring and 30 minutes to make a	
	chain. The maximum number of hours available per day is 16. If the profit on a ring is	
	Rs.300 and that on a chain is Rs.190. Firm is concerned about earning maximum profit on the	
	number of rings $(x)(x)$ and chains $(y)(y)$ that have to be manufactured per day.	
	Using the above information formulate the LPP.	2
4.	Maximize $Z = 3x + 2y$ subject to $x + 2y \le 10, 3x + y \le 15, x, y \ge 0$ .	3
5.	$\begin{array}{c} \text{Minimize } Z = x + 2y \\ \text{Solution} Z$	3
	Subject to $2x + y \ge 3$ , $x + 2y \ge 6$ , $x, y \ge 0$ .	
6.	Show that the minimum of Z occurs at more than two points.	3
0.	Minimize and maximize $Z = x + 2y$ subject to $x + 2y \ge 100, 2x - y \le 0, 2x + y \le 200, x, y \ge 0$	3
7.	$200, x, y \ge 0$ Minimize Z=150x +200y	3
7.	subject to constraints	5
	$3x + 5y \ge 30$	
	x+y≥8	
	and for positive x and y	
8.	If Z=24x+18y with the constraints The maximum value of the objective function	3
	Z = x + 2y	
	subject to constraints	
	$x+2y \ge 100$ ,	
	$2x + 3y \le 10,$	
	$3x+2y \le 10$	
	$x, y \ge 0$ .	
	Can we get $(0,2)$ as a corner point?	
		-
9.	Given that $7-7x + 4y$	3
	Z=7x +4y Constraints	
1	$3x+2y \le 12$ ,	
	$3x + y \le 9,$	
	$x, y \ge 0$	
	Find the corner points .	
	1	1

## ANSWERS:

Q. NO		ANS	WER		MARKS
1.	(5,4)				3
2.	Solution: Let x and y represent the number of units of vitamin B and C, respectively. Subject to constraints: $x, y \ge 0$ (Non-negative constraints) $x + 2y \ge 10$ (Vitamin B constraint) $2x + y \ge 13$ (Vitamin C constraint)				3
	Resources	Food (F1)	Food (F2)		
			1000 (12)		
	Vitamin (B)	1	2		
	Vitamin (C)	2	1		
	Total Cost	Rs 60/kg	Rs 80/kg		
			ve is to minimize cost)		
3.	(i) Objective	function ,maximize Z s.t $2x + y \le 322$	x = 300x + 190y300x + 100y300x + 100y300x	190y	3
4.	X C(0, 5) Y Y Y Y K K K K K K K K K K K K K K K		z = 3x + 0 $15$ $18 = M$ $10$ value of $Z = 18$ at point	(4,3).	
	The line $x + 2y = 6$	shows the second state of	own in the figure w note that the feasible r bounded and has two corr	egion is ner points. = x + 2y 6 6 0 ounded. To decide or not we draw e AB for	

6.	feasible line and $Z < m$ .Hence 6 is the minimum value of Z occur at least two different points.Hence minimum of Z Occur at two corner points (6,0) and (0,3).The feasible region of the following LPP is as shownin the following figure			
	150- 100- B(50, 100) D(0, 50) A(20, 40	Corner Point           (20,40)           (50,100)           (0,200)           (0,50)	Z = x + 2y $100 = m$ $250$ $400 = M$ $100 = m$	
	$\begin{array}{c cccc} & (100, 0) \\ \hline & & & \\ \hline \hline & & & \\ \hline \hline \\ \hline & & & \\ \hline \hline \\ \hline & & & \\ \hline \hline \\ \hline \hline \\ \hline & & & \\ \hline \hline \\ \hline \hline \\ \hline \hline \hline \\ \hline \hline \\ \hline \hline \hline \\ \hline \hline \hline \\ \hline \hline \hline \hline \\ \hline \hline \hline \hline \\ \hline \hline \hline \hline \hline \\ \hline \hline \hline \hline \hline \hline \hline \hline \hline \\ \hline \hline$			
7.	Z =1350 at x=5 and y =3			3
8.	Yes			3
9.	(0,0) (3,0) (2,3) and (0,6)			3