CHAPTER-3 MATRICES 05 MARK TYPE QUESTIONS

Q. NO	QUESTION	MARK
1.	A manufacture produces three stationery products Pencil, Eraser and Sharpener which he	5
	sells in two markets. Annual sales are indicated below.	
	Market Products (in numbers)	
	Pencil Eraser Sharpener	
	A 10,000 2,000 18,000	
	B 6,000 20,000 8,000	
	If the unit sale price of Pencil, Eraser and Sharpener are Ks.2.50, Ks.1.50 and Ks.1.00	
	respectively, and unit cost of the above three commodities are RS.2.00, RS.1.00 and RS.0.50	
	1) Total revenue of market A	
	$(1) \ 10 \ (1) \ 10 \ (1) \ 10 \ (1) \ 10 \ (1) \ 10 \ (1) \ 10 \ (1) \ 10 \ (1) \ 10 \ (1) \ 10 \ (1) \ ($	
	A) R_{3} , R_{3} , R_{4} , R_{4} , R_{5} ,	
	A) Re 35 000 B) Re 53 000 C) Re 50 300 D) Re 30 500	
	A) Cost incurred in market A :	
	Δ Rs 13 000 B) Rs 30 100 C) Rs 10 300 D) Rs 31 000	
	4) Cost incurred in market B	
	A) Rs 13 000 B) Rs 30 100 C) Rs 10 300 D) Rs 31 000	
	5) Profits in market A and B respectively are	
	A) (Rs.15.000, Rs.17.000) B) (Rs.17.000, Rs.15.000)	
	C) (Rs.51.000, Rs.71.000) C) (Rs.10.000, Rs.20.000)	
2.	Three school DPS, CVC and KVS decided to organize a fair for collecting money for helping	5
	the flood victims. They sold handmade fans, mats and plates from recycled material at a	
	cost of Rs.25, Rs.100 and Rs.50 each respectively. The number of articles sold are given as	
	School/Article DPS CVC KVS	
	Handmade fans 40 25 35	
	Mats 50 40 50	
	Plates 20 30 40	
	1. What is the total money collected by the school DPS?	
	A) Rs.700 B) Rs.7000 C) Rs.6125 D) Rs.7875	
	2. What is the total amount of money collected by schools CVC and KVS?	
	A) Rs.14000 B) Rs.15,725 C) Rs.21000 D) 13,125	
	3. What is the total amount of money collected by all three school DPS, CVC and KVS?	
	A) Rs.15775 B) Rs.14,000 C) Rs.21,000 D) Rs.17125	
	4. How many articles are sold by three schools?	
	A) 230 B) 130 C) 430 D) 330	
	5. What is the total amount of money collected by all three school DPS, CVC?	
	A) Rs.14875 B) Rs.13000 C) Rs.14975 D) Rs.13875	
3.	PROMOTING AWARENESS FOR WOMEN	5
	To promote the making of toilet for women, an organization tried to generate awareness	
	through	
	House call	
	Letters	

	 Announcement The cost for each atter 	mpt is given bellow	,		
	"We are a group and we can all go out together. That is the biggest change in our lives." -Parsina Khatoop	CAREndal Ardier Fanthere	PINK LADIES PORta affect ett	OILEI	
	• Rs.50				
	• Rs.20				
	 RS.40 The number of 	attempts made in	three villages X Y	and 7 are given hellow	
		House call	Letters	Announcements	
	Х	400	300	100	
	Y	300	250	75	
	Z	500	400	150	
	Find the total o	ost incurred by the	e organization for t	hree villages using	
	matrices				
4.	GEOMETRICAL TRANSFORMA Matrices allow arbitrary linea suitable for computation. This multiplying their matrices). Linear transformations like st projection are not the only or	TION:- r transformations t s also allows transfo retching, squeezing tes that can be repr	o be displayed in a ormations to be co , rotation, shearing resented by matric	consistent format, mposed easily (by g, reflection, orthogonal es.	5
	Reflect about origin Reflect	about x-axis Ref	lectabouty-axis		
	$\begin{bmatrix} -1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} 1 \\ 0 \\ 0 \end{bmatrix}$	00 -10 01	$\begin{bmatrix} -1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$		
	(-1,0) $(0,-1)$ $(0,-1)$ $(0,-1)$	F (1,0) (-1,0)			
	REFLECTION IN X-AXIS If P(X,Y) is a point ther Which can also be given by	its reflection in X- $\begin{pmatrix} X' \\ \cdots \end{pmatrix} = \begin{pmatrix} 1 & 0 \\ 0 & \cdots \end{pmatrix}$	axis is P'(X',Y') whe $\binom{X}{2}$	ere X'=X and Y'=-Y	
	REFLECTION IN Y-AXIS	(Y') (0 -1)'	(Y)		
	If P(X,Y) is a point ther	its reflection in Y-a	axis is P'(X',Y') whe	re X'=-X and Y'=Y	

Which can also be given by $\binom{X'}{Y'} = \begin{pmatrix} -1 & 0 \\ 0 & 1 \end{pmatrix} \binom{X}{Y}$	
REFLECTION IN ORIGIN If P(X,Y) is a point then its reflection in origin is P'(X',Y') where X'=-X and Y'=- Which can also be given by $\binom{X'}{Y'} = \binom{-1 & 0}{0 & -1}\binom{X}{Y}$	-Ү
Using this concept of transformation find the reflection of the following poir (a) (2,-3) in X-axis (b) (-5,7) in Y-axis (c) (11,23) in origin	nts
 5. On her birthday, Seema d donate some money to child orphanage home. If there children less, everyone would Rs. 10 more. However, if the Children more, everyone wo got Rs. 10 less. Let the no. C be <i>x</i> and the amount or distributed be <i>y</i> (in Rs.) I. Find the number of children who were given some money by seema. II. How much money is given to each child by Seema. OR How much money Seema spends in distributing the money to all the stroorphanage? 	lecided to lren of an were 8 d have got re were 16 ould have Of children of money 5 term of x he form of udents of
 6. The monthly incomes of two Rakesh and Rajesh are in the ratio 5:7.Each brother save ₹ month. expenditure are ₹ 5y and ₹ 7y respectively, write the system of linear equations for problem. (ii) write the matrix equation for question (i). (iii) If AX = B, where A, B, X are matrices then, X is (a) AB (b) AB⁻¹ (c) A⁻¹B (d) BA⁻¹ (v) Find the monthly income of Rakesh & Rajesh respectively? 	vo brother atio 3:4 are in the 15000 per nd answer akesh and and their 5 the above
 7. The monthly incomes of two brothers Rakesh and Rajesh are in the ratio and the monthly expenditures are in the ratio 5:7. Each brother saves R 15000 per month. For the above data, answer the following questions: 	o 3:4 5 s.

		1
	(i) If monthly income of Rakesh and Rajesh are 3x and 4x and their expenditure	
	are 5y and 7y respectively, then identify the system of linear equations for the	
	above problem.	
	(a) x – y = 15000, x + y = 15000	
	(b) 3x + 5y = 15000, 4x + 7y = 15000	
	(c) 3x - 5y = 15000, 4x - 7y = 15000	
	(d) 5x - 3y = 15000, x - 4y = 15000	
	(ii) Identify the matrix equation for the above situation.	
	(a) AX=B where A = $\begin{bmatrix} 1 & -1 \end{bmatrix} X = (x y)^T B = (15000 \ 15000)^T$	
	$\begin{bmatrix} 1 \\ 2 \end{bmatrix}, \begin{bmatrix} 1 \\ 1 \end{bmatrix}, \begin{bmatrix} 1 \\ 2 \end{bmatrix}, \begin{bmatrix} 1 \\ 2 \end{bmatrix}$	
	(b) AX=B, where A = $\begin{bmatrix} 5 & 5 \\ 4 & 7 \end{bmatrix}$, X = (x y) ^T , B = (15000 15000) ^T	
	(c) $\Delta X = B$ where $\Delta = \begin{bmatrix} 5 & -3 \\ 5 & -3 \end{bmatrix} = \begin{bmatrix} 7 & 2 \\ 7 & 2 \end{bmatrix}^T = B = (15000 \ 15000)^T$	
	[1, -4], $[1, -4]$, $[1, -4]$	
	(d) AX=B, where A = $\begin{bmatrix} 3 & -5 \\ 4 & 7 \end{bmatrix}$, X = (x y)T, B = (15000 15000) ^T	
	(iii) Monthly incomes of Rakesh and Raiesh respectively are	
	(a) 90.000 each (b) 90.000 and 1.20.000 (c) 1.20.000 and 90.000 (d) 30000 and	
	15000	
8.	Three friends Ravi, Raiu and Rohit were buying and selling stationery items in a	5
	market. The price of per dozens of Pen, notebooks and toys are Rupees x, y	-
	and z respectively.	
	Ravi purchases 4 dozen of notebooks and sells 2 dozen pens and 5 dozen toys.	
	Raiu purchases 2 dozen toys and sells 3 dozen pens and 1 dozen of notebooks.	
	Rohit purchases one dozen of pens and sells 3 dozen notebooks and one dozen	
	toys.	
	In the process, Ravi, Raju and Rohit earn $\gtrless 1500$, $\gtrless 100$ and $\end{Bmatrix} 400$ respectively.	
	Answer the following questions using the matrix method:	
	1. What is the price of one dozen of pens?	
	2. What is the total price of one dozen of pens and one dozen of	
	notebooks?	

	3. What is the sale amount of Ravi?					
	4. What is the amount of purchases made by all three friends?					
	5. What is the price of sales made by all three friends?					
	Si mat			nade by an		
0		г 2	_1 1	1		
9.	For the mate	$riv \Lambda = \begin{bmatrix} L \\ 1 \end{bmatrix}$	-1 1 2 1	chow th	at A^2 $EA + AL = 0$ Hence find	5
	For the mati		2 -1	, snow th	at $A = 5A + 4I = 0$. Hence find	
	4 -1	L 1	-1 2]		
	A ⁻ .			0 07 507		
10.		. с Га		2 0 0		5
	For what val	lue of x ,[1	2 1] 2	0 1 2	= 0.	
	B 1.1 · · ·		<u>[1</u>	0 2 x		
11.	Read the text c	arefully and a	answer the qu	uestions: Three	ee schools A, B and C organized a mela for	5
	collecting funds	veled materia	l at a cost of₹	.1011 01 11000 V ₹ 25 ₹ 100 an	$d \neq 50$ each. The number of articles sold by	
	plates nonniec	ycieu materia		(25, (100 an	a v so each. The humber of articles sold by	
				2		
	school A B C a	re given helov		••••		
	Article So	chool A	25	25		
	Mats	50	40	50		
	Plates	20	30	40		
12.	4. Find the price. 4. Find the feat of gained populari Techniques in t and structures. of bolts, x, y, ar	total funds co carefully and a ity due to the he Industries Mr. Suresh is nd z which he	llected for th answer the qu rapid Industr that are used in Manufactu sells in two m	e required pu uestions: The rialization and as the Indust uring business narkets. Annu	rpose after 20% hike in price. nut and bolt manufacturing business has introduction of the Capital - Intensive trial fasteners to connect various machines of Nuts and bolts. He produces three types al sales (in₹) indicated below:	5
	Markets		Products			
		x	y	Z		
	I	10000	2000	18000		
	II	6000	20000	8000		
	1. If unit s revenue	ales prices of e collected fro	x, y and z are om Market -	e₹ 2.50 <i>,</i> ₹ 1.50 I &II.) and ₹ 1.00 respectively, then find the total	
	2. If the u then fir	nit costs of th nd the cost pri	e above thre	e commoditie Land Market	s are₹ 2.00, ₹ 1.00 and 50 paise respectively,	
					11.	

	then find gross profit from both the markets.	
	4. If matrix A = $[a_{ij}]_{2\times 2}$ where a $_{ij}$ = 1, if i \neq j and a $_{ij}$ = 0, if i = j then find A ² .	
13.	If A = $\begin{bmatrix} 0 & -tan\alpha/2 \\ tan\alpha/2 & 0 \end{bmatrix}$ and I is the identity matrix of order 2, show that	5
	$I + A = (I - A) \begin{bmatrix} \cos\alpha & -\sin\alpha \\ \sin\alpha & \cos\alpha \end{bmatrix}$	
14.	Express the following matrix A as the sum of a symmetric and a skew symmetric matrix $A = \begin{bmatrix} 3 & 2 & 5 \\ 4 & 1 & 3 \end{bmatrix}.$	5
	lo 6 7]	
15.	A manufacturer produces three products x, y, z which he sells in two markets. Annual sales are indicated below: Market Products	5
	I 10000 2000 18000	
	II 6000 20000 8000 (a) If unit sales prices 0 x y and z are Rs 2 50 Rs 1 50 and Rs 1 00 respectively, find the	
	total revenue in each market with the help of matrix algebra.	
	(b) If the unit costs of the above three commodities are Rs. 2.00, Rs. 1.00 and 50 paise	
16	respectively. Find the gross profit.	5
10.	and Naura. The sale (in rupees) of these varieties of rice by both the farmers in the month of	5
	October and November are given by the following matrices A and B	
	October sales (in rupees)	
	Basmati Permal Naura $r_10000 = 20000 = Ram$	
	$A = \begin{bmatrix} 10000 & 20000 & 30000 \\ 50000 & 30000 & 10000 \end{bmatrix} $ <i>hum by am</i>	
	November sales (in rupees) Basmati Permal Naura	
	r = 5000 + 10000 + 6000 + Ram	
	$B = \begin{bmatrix} 20000 & 10000 \end{bmatrix} Shyam$	
	(i) Find the combined sales in October and November for each farmer in each variety.	
	(ii) Find the decrease in sales October to November.	
	for each variety sold in November.	

ANSWERS:

Q. NO	ANSWER	MARKS
1.	1-C, 2-B 3-D 4-C 5-A	5
2.	1-B 2-A 3-C 4-D 5-A	5
3.	Ans:- The above problem can be represented by matrices as- Cost matrix A =[house call letters announcement] = [50 20 40] X Y Z No. of attempts in villages B = $\begin{bmatrix} 400 & 300 & 500 \\ 300 & 250 & 400 \\ 100 & 75 & 150 \end{bmatrix}$ The total cost in making the awareness is given by AB i.e AB=[50 20 40] $\begin{bmatrix} 400 & 300 & 500 \\ 300 & 250 & 400 \\ 100 & 75 & 150 \end{bmatrix}$ = $\begin{bmatrix} 30000 \\ 23000 \\ 39000 \end{bmatrix}$ Thus the cost incurred to the promote making toilets for women in villages X, Y and Z are RS.30000 ,RS.23000 and RS.39000 respectively.	5
		-
4.	Ans:- (a) The reflection of P(2,-3) is $\binom{x}{y} = \binom{1}{0} \binom{2}{-1} \binom{2}{-3} = \binom{2}{3}$; P'(2,3) (b) the reflection of Q(-5,7) is $\binom{x}{y} = \binom{-1}{0} \binom{0}{1} \binom{-5}{7} = \binom{5}{7}$; Q'(5,7) (c) the reflection of R(11,23) is $\binom{x}{-1} \binom{-1}{-1} \binom{0}{-1} \binom{11}{-1} \binom{-11}{-1} = \frac{P'(-11)}{-1} =$	5
	$(y) = (0 -1)(23) = (-23)^{-23}$; R'(-11,-23)	
5.	5x-4y = 40 (i) $5x-8y = -80$ $A = \begin{bmatrix} 5 & -4 \\ 5 & -8 \end{bmatrix}, X = \begin{bmatrix} x \\ y \end{bmatrix}, B = \begin{bmatrix} 40 \\ -80 \end{bmatrix}$ (ii) 33 (iii) 30 or 960	5
6.	(i) $3x-5y = 15000; 4x-7y = 15000$ (ii) AX=B Where A = $A = \begin{bmatrix} 3 & -5 \\ 4 & -7 \end{bmatrix}, X = \begin{bmatrix} x \\ y \end{bmatrix}, B = \begin{bmatrix} 15000 \\ 15000 \end{bmatrix}$ (iii) (c) (iv) $\begin{bmatrix} 7 & -5 \\ 4 & -3 \end{bmatrix}$	5

	$X = A^{-1}B$	
	$(\mathbf{v}) \begin{bmatrix} x \end{bmatrix} \begin{bmatrix} 7 & -5 \end{bmatrix} \begin{bmatrix} 15000 \end{bmatrix} \begin{bmatrix} 30000 \end{bmatrix}$	
	$\begin{vmatrix} y \end{vmatrix} = \begin{vmatrix} 4 & -3 \end{vmatrix} \begin{vmatrix} 15000 \end{vmatrix} = \begin{vmatrix} 15000 \end{vmatrix}$	
	Monthly income of Rajesh= 120000	
	Monthly income of Rakesh= 90000	
7.	The equations are, $3x - 5y = 15000$, $4x - 7y = 15000$	5
	In matrix form AX=B, $\gamma = 1000$	
	where A = $\begin{pmatrix} 3 & -5 \\ 4 & -7 \end{pmatrix}$, X = $\begin{pmatrix} x \\ y \end{pmatrix}$, B = $\begin{pmatrix} 15000 \\ 15000 \end{pmatrix}$	
	4 -7 -5 13000	
	$A^{-} = \begin{pmatrix} 4 & -3 \end{pmatrix}$	
	$X = A^{-1}B = \begin{pmatrix} 7 & -5 \\ 1 & -5 \end{pmatrix} \begin{pmatrix} 15000 \\ 1 & -5 \end{pmatrix} = \begin{pmatrix} 30000 \\ 1 & -5 \end{pmatrix}$	
	4 -3' + 15000' + 15000'	
	Answors: (i) c (ii) d (iii) b	
8.	Given	5
0.	The price of per dozen of Pen. Notebook and toys are Rupees x, y and z	5
	respectively	
	A/O.	
	2x - 4y + 5z = 1500	
	3x + y - 2z = 100Type equation here.	
	-x + 3y + z = 400	
	In matrix form, AX=B , i.e	
	$\begin{bmatrix} 2 & -4 & 5 \end{bmatrix} \begin{bmatrix} X \end{bmatrix} \begin{bmatrix} 1500 \end{bmatrix}$	
	$\begin{vmatrix} 3 & 1 & -2 \\ \end{vmatrix} \begin{vmatrix} Y \\ \end{vmatrix} = \begin{vmatrix} 100 \\ \end{vmatrix}$	
	L-1 3 1 J L Z J L 400 J	
	Implies $\begin{array}{c} Y \\ Y \end{array} = A^{-1}B \end{array}$	
	Implies X=200	
	Y=100	
	Z=300	
	(1) Rupees 100	
	(2) rupees 300(100+200)	
	(3) Sell amount of Ravi= Rupees 1900	
	(4) Total amount of purchases= rupees 1100	
	(5) Total price of sells= rupees 3200	
9		5
5.	Here A= -1 2 -1 now	
	$ LHS A^2 - 5A + 4I = \begin{vmatrix} -5 & 6 & -5 \\ -5 & -5 \end{vmatrix} - 5 \begin{vmatrix} -1 & 2 & -1 \\ -1 & 2 & -1 \end{vmatrix} + 4 \begin{vmatrix} 0 & 1 & 0 \\ 0 & 1 & 0 \end{vmatrix} = \begin{vmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \end{vmatrix} =$	
	0 PROVED	

10.	Here $\begin{bmatrix} 1 & 2 & 1 \end{bmatrix} \begin{pmatrix} 1 & 2 & 0 \\ 2 & 0 & 1 \\ 1 & 0 & 2 \end{pmatrix} \begin{bmatrix} 0 \\ 2 \\ x \end{bmatrix} = 0 \text{ or } \begin{bmatrix} 6 & 2 & 4 \end{bmatrix} \begin{bmatrix} 0 \\ 2 \\ x \end{bmatrix} = 0 \text{ or } 4 + 4x = 0 \text{ or } 4x = -4 \text{ or } x = -1$	5
11.	(i) Let $P = \begin{bmatrix} 40 & 50 & 20 \\ 25 & 40 & 30 \\ 35 & 50 & 40 \end{bmatrix}$ and $Q = \begin{bmatrix} 25 \\ 100 \\ 50 \end{bmatrix}$ (ii) Clearly, total funds collected by each school is given by the matrix $PQ = = \begin{bmatrix} 40 & 50 & 20 \\ 25 & 40 & 30 \\ 35 & 50 & 40 \end{bmatrix} \begin{bmatrix} 25 \\ 100 \\ 50 \end{bmatrix} = = \begin{bmatrix} 7000 \\ 6125 \\ 7875 \end{bmatrix}$ So, funds collected by school A is Rs. 7000 funds collected by school B is Rs. 6125 funds collected by school C is Rs. 7875 (iii) New price matrix $Q = 120\%$ of $\begin{bmatrix} 25 \\ 100 \\ 50 \end{bmatrix} = \begin{bmatrix} 25x1.2 \\ 100x1.2 \\ 50x1.2 \end{bmatrix} = \begin{bmatrix} 30 \\ 120 \\ 60 \end{bmatrix}$ (iv) Now, $PQ = \begin{bmatrix} 40 & 50 & 20 \\ 25 & 40 & 30 \\ 35 & 50 & 40 \end{bmatrix} \begin{bmatrix} 30 \\ 120 \\ 60 \end{bmatrix} = \begin{bmatrix} 8400 \\ 7350 \\ 9450 \end{bmatrix}$ Total fund collected = $8400+7350+9450 = Rs. 25200$	5
12.	(i) Let $A = \begin{bmatrix} 10000 & 2000 & 18000 \\ 6000 & 20000 & 8000 \end{bmatrix}$ and $B = \begin{bmatrix} 2.5 \\ 1.5 \\ 1 \end{bmatrix}$ Now, Revenue = Sale price x Number of items sold $= \begin{bmatrix} 10000 & 2000 & 18000 \\ 6000 & 20000 & 8000 \end{bmatrix} \begin{bmatrix} 2.5 \\ 1.5 \\ 1 \end{bmatrix} = \begin{bmatrix} 46000 \\ 53000 \end{bmatrix}$ So, revenue from Market I = Rs. 46,000 and revenue from Market II = Rs. 53000 (ii) Now, let $C = \begin{bmatrix} 2 \\ 1 \\ 0.5 \end{bmatrix}$ Then total Cost = AC = $\begin{bmatrix} 10000 & 2000 & 18000 \\ 6000 & 20000 & 8000 \end{bmatrix} \begin{bmatrix} 2 \\ 1 \\ 0.5 \end{bmatrix} = \begin{bmatrix} 31000 \\ 36000 \end{bmatrix}$ Cost price in market I = Rs. 31000 and cost price in market II = Rs. 36000 (iii) So, Profit matrix = Revenue matrix - Cost matrix $= \begin{bmatrix} 46000 \\ 53000 \end{bmatrix} = \begin{bmatrix} 31000 \\ 17000 \end{bmatrix}$ Therefore, gross profit = Rs. 15000 + Rs. 17000 = Rs. 32000 (iv) $A = \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$ $A^2 = \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix} \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} = 1$	5
13.	Verification.	5
14.	1. Now, A can be written as $A = \frac{1}{2}(A+A') + \frac{1}{2}(A-A')$	5

	$\frac{1}{2}(A+A') = \begin{bmatrix} 3 & 3 & 5/2 \\ 3 & 1 & 9/2 \\ 5/2 & 9/2 & 7 \end{bmatrix} = P, \text{ say}$	
	P'=P, So P is symmetric	
	${}^{1/2}(A-A') = \begin{bmatrix} 0 & -1 & 5/2 \\ 1 & 0 & -3/2 \\ -5/2 & 3/2 & 0 \end{bmatrix} = Q \text{ say,}$	
	Q'=-Q, So Q is skew symmetric	
	Now , we can check $P + Q = A$	
15.	(a) Let A = $\begin{bmatrix} 10000 & 2000 & 18000 \\ 6000 & 20000 & 8000 \end{bmatrix}$ and B = $\begin{bmatrix} 2.50 \\ 1.50 \\ 1.00 \end{bmatrix}$	5
	Now Revenue, $AB = \begin{bmatrix} 10000 & 2000 & 18000 \\ 6000 & 20000 & 8000 \end{bmatrix} \begin{bmatrix} 2.50 \\ 1.50 \\ 1.00 \end{bmatrix}$	
	$= \begin{bmatrix} 46000\\ 53000 \end{bmatrix}$ Hence, revenue for market I is Rs. 46000 and revenue for market II is Rs. 53000	
	(b) Let $P = \begin{bmatrix} 10000 & 2000 & 18000 \\ 6000 & 20000 & 8000 \end{bmatrix}$ and $Q = \begin{bmatrix} 2.00 \\ 1.00 \\ 0.50 \end{bmatrix}$	
	Then total cost, $PQ = \begin{bmatrix} 10000 & 2000 & 18000 \\ 6000 & 20000 & 8000 \end{bmatrix} \begin{bmatrix} 2.00 \\ 1.00 \\ 0.50 \end{bmatrix}$	
	$= \begin{bmatrix} 31000\\ 36000 \end{bmatrix}$ Gross profit for market I = Bevenue – total cost	
	= Rs. 46000 - Rs. 31000 $= Rs. 15000$	
	Gross profit for market II = Revenue – total cost	
	= Rs. 53000 – Rs. 36000 = Rs, 17000	
16.	(i) Combined sales in October and November for each farmer is given by	5
	$A + B = \begin{bmatrix} 15000 & 50000 & 50000 \\ 70000 & 40000 & 20000 \end{bmatrix}$ (ii) Change in sale from October to November is given by	
	$A - B = \begin{bmatrix} 5000 & 10000 & 24000 \\ 20000 & 20000 & 0 \end{bmatrix}$	
	(iii) 2% of B = $\frac{2}{120} \begin{bmatrix} 5000 & 0 & 1 \\ 5000 & 10000 & 6000 \\ 20000 & 10000 & 6000 \\ 10000 & 100000 \end{bmatrix}$	
	$ \begin{bmatrix} 100 & 120000 & 10000 & 100001 \\ = \begin{bmatrix} 100 & 200 & 120 \\ 0 & 0 & 0 & 0 \end{bmatrix} $	
	Hence, in November Ram receives Rs. 100, Rs. 200 and Rs. 120 as profit in the sale of	
	each variety of rice, respectively, and Shyam receives profit of Rs. 400, Rs. 200 and Rs. 200 in the sale of each variety of rice, respectively	
	Ro. 200 in the sale of each variety of fice, respectively.	1