

AN EDUCATIONAL INSTITUTE

SUBJECT:MATHS DATE : 18/11/24

**General Instruction:** 

This Question Paper has 5 Sections A-E.

PBMT - PAPER - 02

UNIT - GEOMETRY CH - 6 CIRCLES , CH - 10 TRIANGLES MAX. MARKS : 30 DURATION : 60 MIN

## 1. Section A has 6 MCQs carrying 1 mark each. 2. Section B has 2 questions carrying 02 marks each. **3. Section C** has 2 questions carrying 03 marks each. 4. Section D has 1 questions carrying 04 marks each. 5. Section E has 2 questions carrying 05 marks each . Draw neat figures wherever required. Take $\pi = 22/7$ wherever required if not stated. **SECTION – A** Questions 1 to 6 carry 1 mark each. Fig. 1 1 cm 1. In figure 1, XY || BC and AX : XB = 1 : 3. The length of XY is: (a) 1 cm (b) 2 cm (c) 3 cm (d) 1.5 cm 3 cn 2. The distance between two parallel tangents to a circle of radius 5cm is: 6 cm (a) 10cm (b) 11cm (c) 12cm (d) 14cm Fig. 2 **3.** In fig .2 a circle touches the side DF of $\Delta EDF$ at H and touches ED and EF produced at K and M respectively .If EK = 9 cm ,then the perimeter of $\Delta EDF$ (in cm ) is (b) 13.5 (c) 12 (d) 9 (a) 18 4. In a fig. 3 AB and AC are tangents to a circle with centre 0 and radius 8cm . If OA = 17 cm ,then the length of AC (in cm) is Fig. 3 (a) √353 (b) 15 (c) 9 (d) 25 5. At one end A of a diameter AB of a circle of radius 5 cm, tangent XAY is drawn to the circle. The length of the chord CD parallel to XY and at a distance 8 cm from A is (a) 4 cm (b) 5 cm (c) 6 cm (d) 8 cm 6. From a point P which is at a distance of 13 cm from the centre O of a circle of radius 5 cm, the pair of tangents PQ and PR to the circle are drawn. Then the area of the quadrilateral PQOR is (a) 60cm<sup>2</sup> (b) 65cm<sup>2</sup> (c) 32cm<sup>2</sup> (d) 32.5cm<sup>2</sup> **SECTION – B** Questions 7 to 8 carry 2 mark each. Fig. 4 7. In Fig.4 OB is the perpendicular bisector of the line segment DE, FA $\perp$ OB and F E intersects OB at the point C. Prove that $\frac{1}{OA} + \frac{1}{OB} = \frac{2}{OC}$ . R 8. If a, b, c are the sides of a right triangle where c is the hypotenuse, prove that the

