

Class X Session 2024-25 MATHEMATICS STANDARD (SET- 02)

(Code No.241)

TIME: 3 hours

MAX.MARKS: 80

General Instructions:

Read the following instructions carefully and follow them:

- **1.** This question paper contains 38 questions.
- **2.** This Question Paper is divided into 5 Sections A, B, C, D and E.
- **3.** In Section A, Questions no. 1-18 are multiple choice questions (MCQs) and questions no. 19and 20 are Assertion- Reason based questions of 1 mark each.
- 4. In Section B, Questions no. 21-25 are very short answer (VSA) type questions, carrying 02 markseach.
- 5. In Section C, Questions no. 26-31 are short answer (SA) type questions, carrying 03 marks each.
- 6. In Section D, Questions no. 32-35 are long answer (LA) type questions, carrying 05 marks each.
- 7. In Section E, Questions no. 36-38 are case study based questions carrying 4 marks each with sub parts of the values of 1, 1 and 2 marks each respectively.
- 8. All Questions are compulsory. However, an internal choice in 2 Questions of section B, 2 Questions of section C and 2 Questions of section D has been provided. And internal choice hasbeen provided in all the 2 marks questions of Section E.

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- 9. Draw neat and clean figures wherever required.
- **10.** Take π =22/7 wherever required if not stated.
- **11**.Use of calculators is not allowed.

			Section A.						
	S	ection A consi	sts of 20 questions o	f 1 mark each.					
1	Find the values of k f	or which the q	uadratic equation k x	x(x - 3) + 9 = 0 has real equal roots					
	(A)k=0 or k=4	TLIN	(B) $k = 1 \text{ or } k = 4$	D					
	(C) k = -3 or k = 3		(D) k = -4 or k = 4	D					
2	One card is drawn a	at random fron	n a well-shuffled dec	k of 52 cards. What is the					
	probability of getti	ng a red Jack?	INIAI	INCOTITINT	-				
1	(A) $\frac{1}{52}$	(B) $\frac{2}{52}$	(C) $\frac{1}{26}$	$-(D)\frac{1}{10}$	_				
		54	26	13					
3	If ABC and DEF are	If ABC and DEF are two triangles and $\frac{AB}{DE} = \frac{BC}{FD}$, then the two triangles are similar if							
	(A) ∠A=∠F	(B) ∠B=∠D	(C) ∠A=∠D						
4	The distance of the	point P(4,-3)	from the origin is						
	(A)1 unit	(B) 7 units	(C) 5 units	(D) $\sqrt{7}$ units					
5	A sector is cut from	a circle of radi	us 21 cm. The angle of	of the sector is 150°. Find the					
	length of the arc.								
	(A) 56 cm	(B) 57 cm	(C) 55 cm	(D) 58 cm					
6	If A = $2 \sec^2 x$ and E	$s = 2 \tan^2 x - 3$	then A – B is equal to)					
	(A) 2	(B) 5	(C) 3	(D) -1					
7	The length of a tan	gent from a po	int A at distance 10 c	m from the center of the circle is					
	The length of a tangent from a point A at distance 10 cm from the center of the circle is 8cm. Find the radius of the circle.								
			(C) $\sqrt{164}$ cm	(D) 5 cm					
0									
8	The points (–4, 0), (4, 0), (0, 3) are	e the vertices of a:						

	(A) Right triangle (B) Isosceles triangle	
	(C) Equilateral triangle (D) Scalene triangle	
9	In figure 1, XY BC and AX : XB = 1 : 3. The length of XY is:	1
	(A) 1 cm (B) 2 cm (C) 3 cm (D) 1.5 cm	
10	The value of k for which the system of linear equations x+ 2y = 3, 5x +k y+7 = 0, has no solution is (A) 3 (B) 5 (C) 5 (D) 10	1
11	A circle artist is climbing a 20 m long rope, which is tightly stretched and tied from the top of a vertical pole to the ground, then the height of pole, if the angle made by the rope with the ground level is 30 ^o is	1
12	(A) 5 m (B) 20 m (C) 15 m (D) 10 m	1
12	When a die is thrown, the probability of getting a number at least 3 is (A) $\frac{2}{3}$ (B) $\frac{1}{3}$ (C) $\frac{1}{2}$ (D) $\frac{2}{6}$	
13	The sum of exponents of prime factors in the prime-factorization of 196 is(A) 3(B) 5(C) 4(D) 2	1
14	Two dice are thrown at the same time. Find the probability of getting different numbers on both dice. (A) $\frac{25}{36}$ (B) $\frac{1}{36}$ (C) $\frac{1}{6}$ (D) $\frac{3}{6}$	1
15	If the points A (4, 3) and B (x, 5) are the two ends of diameter of the circle with center O(2, 3) then the value of x is(A) 0(B) 1(C) 2(D) 3	1
16	Whether 4 ⁿ can end with the digit 0 for any natural number n. (A) yes (B) never (C) can't say (D) always	1
17	Relationship between mean, mode and median is(A) 3median= 2mode+ mean(B) 3median - mode = 2mean(C)median= 2mode+ 3mean(D) 2median= 3mode+ mean	1
18	Two trees AB and CD are standing parallel to each other. The bigger tree 8 m high cast a shadow of 6 m. If height of smaller tree is 6cm then shadow cast by it is (A) 2 m (B) 3.5m (C) 4m (D) 4.5 m	1
19	 Assertion: If in a circle, the radius of the circle is 3 cm and distance of a point from the center of a circle is 5 cm, then length of the tangent will be 4 cm. Reason: (hypotenuse)² = (base)² + (height)² (a) Both assertion (A) and reason (R) are true and reason (R) is the correct explanation of assertion (A). (b) Both assertion (A) and reason (R) are true but reason (R) is not the correct explanation of assertion of assertion (A). (c) Assertion (A) is true but reason (R) is false. 	1

	interval	0		5 20	20-30		-0	-0 00	50-0	5			
. /	frequency f. Class 0- 10 10-20 20-30 30-40 40-50 50-60 60-70												
28(B)	OR The mode of the following frequency distribution is 36. Find the missing												
	Frequency	5	6	15	10	5	4	2	2				
		10	15	20	25	30	35	40	45				
	Class	5 -	10 -	15 -	20 -	25 -	30 -	35 -	40 -				
28(A)	Calculate the	e medi	an fron	the fr	ollowing	g freau	ency	listributi	on			3	
P	CATIONAL INSTITUT										_		
	intercept DE between the tangent I and m. Prove that $\angle DFE = 90^{\circ}$.												
	-				111-		1.1.1.1			2.3			
27	In figure. I ar						and E	3. The ta	ngent at	t C n	nakes an	3	
	is 50 m high,						i the f	SOL OF LN	e bullali	ig is	60°. If the tower		
26	-		and the second second								is 30° and the	3	
								S OF 3 N					
					S	ECTION	1 C	1	1			•	
23	whose edge							. Se mau	7				
25	eight terms. How many s	pheric	al lead	shots	of diame	eter 4 (cm car	he mad	le out o	fasi	olid cube of lead	2	
24		rm of a	an A.P.	and th	e sum c	of its fir	rst six	terms is	-27. Fin	d th	e sum of its first	2	
、 /	Prove that A	B + CD	= BC +	DA			~						
23 (B)	A circle touc	hes all	the fou	ur sides	s of a qu		1.000	BCD fro	m inside	2.		2	
	radius 13 cm		10			OR							
23(A)			a chord	which	is at a (distanc	e of 1	2 cm fro	m the c	ente	r of a circle of	2	
	value of k.				•						<u> </u>		
22 (B)	If α and β ar	e the z	eros of	the po	lynomi	al f(x) =	= x ² -5	x + k suc	h that α	. – β	= 1, find the	2	
						OR						1	
22(A)	times the ot		, 101 W			or the	quauri	auc equa	лоп рх	- 1	4x T 0 - U IS D		
21 22(A)	Prove that 2 Find the value	-					auadr	atic oque	ation ny	2_1	4x + 8 = 0 is 6		
21	D						STION	S OF 2 N	iarks e	ACH			
						ECTION							
	(d) Assertior	ı (A) is	false b	ut reas									
	(c) Assertion		•	•	on (R) is	false.							
	explanation				1 (1) at		Juliea				inect		
	assertion (A) (b) Both asse		hac (A)	rasor	n (R) ard	s trup k	out ros	son (R)	is not th		proct		
	• •		A) and	reasor	n (R) are	e true a	and rea	ason (R)	is the co	orred	ct explanation of		
	zero.	, - 1											
	Reason : Any	Assertion : The zeroes of $x^2 - 5x + 2$ are both negative Reason : Any equation of the form $ax^2 + bx + c$ has real zeroes if Dis less than and equal to											

29	The ratio of incomes of two persons is 9 : 7 and the ratio of their expenditures is 4: 3. If	3			
	each of them manages to save Rs 2000 per month, then find their monthly incomes.				
30	If the mid point of the line joining (3,4) and (k,7) is (x,y) and lying on the line $2x + 2y + 1 = 0$, find the value of k.	3			
31(A)	In triangle ABC, right-angled at B, AB = BC . Determine:	3			
(,	(i) Sin A + Cos C (ii) Tan ² A + $\cot^2 A$				
	OR				
31(B)	If sin (A – B) = $\frac{1}{2}$, cos (A + B) = $\frac{1}{2}$ 0° < A + B ≤ 90°, A > B, find 2Tan ² (A + B).				
	SECTION D				
	SECTION D CONSISTS OF 4 QUESTIONS OF 5 MARKS EACH				
32(A)	The diagonal of a rectangular field is 60 meters more than the shorter side. If, the longer	5			
. ,	side is 30 meters more than the shorter side, find the sides of the field.				
	OR				
32(B)	In a flight for 3000 km, an aircraft was slowed down due to bad weather. Its average	5			
32(0)	speed for the trip was reduced by 100 km/hr and consequently time of flight increased by				
	one hour. Find the original duration of flight.				
33(A)	Prove that:	5			
55(A)		5			
	$\frac{\cos A}{1+\sin A} + \frac{1+\sin A}{\cos A} = 2 \sec A$				
33(B)	OR				
55(5)		5			
	Prove that, $\frac{\sin^3\theta + \cos^3\theta}{\sin\theta + \cos\theta} = (1 - \sin\theta\cos\theta)$.				
34(A)	In a circle of radius 21 cm, a minor arc subtends an angle of 120° at the center. Then find				
	out area of minor sector and area of corresponding minor segment.				
	OR				
34(B)	A horse is tied to a peg at one corner of a square shaped grass field of side 15 m by	5			
(-)	means of a 5 m long rope. Find				
	(i) the perimeter of that part of the field in which the horse can graze.				
	(ii) the area of that part of the field in which the horse can graze.				
	(ii) the increase in the grazing area if the rope were 10 m long instead of 5 m.(Use π =				
	(1) the increase in the grazing area in the tope were 10 in long instead of 5 in.(ose n^2 3.14)				
35	State and prove Basic Proportionality Theorem. Using the theorem prove that a line	5			
33		5			
	through the point of intersection of the diagonals and parallel to the trapezium divides				
	the non-parallel sides in the same ratio.	_			
26	SECTION E.				
36	Read the text carefully and answer the questions:				
	A juice seller is serving his customers using cylindrical container with radius 20cm and				
	height 50cm. He serves juice into a glass as shown in Fig. The inner diameter of the				
	cylindrical glass is 5 cm, but the bottom of the glass had a hemispherical raised portion				
	which reduced the capacity of the glass.				
(I)	If the height of a glass was 10 cm, find the apparent capacity of the glass.	1			
	If the container coated in and out with golden color ,what is the surface area to be	1			
(11)	In the container coated in and out with golden color , what is the surface area to be	_			

(III)(A)	Find the capacity of the container in liter if juice in container is 5 cm below the actual	2				
	height?					
	OR	2				
(III)(B)	How many glasses he serves if the container is full?					
37	Read the text carefully and answer the questions:					
	Suman is celebrating his birthday. He invited his friends. He bought a packet of toffees/candies which contains360 candies. He arranges the candies such that in the first					
	row there are 3 candies, in second there are 5 candies, in third there are 7 candies and					
	so on.					
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	diamy a a a a a a a a a a a a a a a a a a					
(I)	Find the total number of rows of candies.	1				
(11)	How many candies are placed in 5th row from last?	1				
(III)(A)	Find the number of candies in middle row/rows.	2				
	OR					
(III)(B)	If Aditya decides to make 15 rows, then how many total candies will be placed by him					
	with the same arrangement?					
38	Read the text carefully and answer the questions:					
	There are 15 balls numbered from 1 to 15 are used in a game. Players come and pick the					
	ball randomly to play the game. Then					
(I)	What is the probability of drawing a ball having prime number?	1				
(II)	What is the probability of drawing a perfect square number?	1				
(III)(A)	What is the probability of drawing a multiple of three or an even number on it?					
	OR					

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