## CHAPTER 1 RELATIONS AND FUNCTIONS

## MULTIPLE CHOICE QUESTIONS

|        | OLIESTIONS  |
|--------|---|
| 3L.NU. | QUESTIONS   |
| T      | Let S be the set of all square in a plane with K a relation in S given by $P = \{(S1, S2) : S1 \}$ is congruent to $S2$ . Then P is |
|        | (31, 32). St is congruent to $32$ . Then K is   |
|        | (a) an equivalence relation.  |
|        | (b) transitive net symmetric  |
|        | (d) only symmetric  |
| 2      | (d) Only symmetric<br>Civen set $A = \{1, 2, 2\}$ and a relation $B = \{(1, 2), (2, 1)\}$ the relation $B$ will be                  |
| 2      | Given set $A = \{1, 2, 3\}$ and a relation $R = \{(1, 3), (3, 1)\}$ , the relation $R$ will be                                      |
|        | (d) reflexive if (1, 1) is added  |
|        | (b) symmetric if (2, 3) is added  |
|        | (c) transitive if $(1, 1)$ is added<br>(d) symmetric if $(2, 2)$ is added   |
|        |   |
| 3      | The function $f:[0,\infty) \to R$ given by $f(x) = \frac{x}{1-x}$   |
|        | (a) f is both one-one and onto  |
|        | (b) f is one-one but not onto   |
|        | (c) f is onto but not one-one   |
|        | (d) neither one-one nor onto  |
|        |   |
| 4      | Which of the following functions from Z to itself are bijections?   |
|        | (a) $f(x) = x^3$  |
|        | (b) $f(x) = x + 2$  |
|        | (c) $f(x) = 2x+1$   |
|        | (d) $f(x) = x^2 + x$  |
|        |   |
| 5      | Let $A = \{1,2,3\}$ , $B = \{1,4,6,9\}$ and $R$ is a relation from $A$ to $B$ define by 'x is greater than y'.                      |
|        | Then range of <i>R</i> is given by:   |
|        | (a) {1,4,6,9}   |
|        | (b) {4,6,9}   |
|        | (c) {1}   |
|        | (d) none of these   |
|        |   |
| 6      | Let N be the set of all natural numbers and let R be a relation in N, defined by $R = \{(a, b)\}$ : a is a                          |
|        | factor of b }.  |
|        | (a) R is symmetric and transitive but not reflexive   |
|        | (b) R is reflexive and symmetric but not transitive   |
|        | (c) R is equivalence  |
|        | (d) R is reflexive and transitive but not symmetric   |
| 7      | Let N be the set of all natural numbers and let R be a relation on N $\times$ N,defined by (a, b) R (c, d)                          |
|        | $\Leftrightarrow$ ad = bc.  |
|        | (a) R is symmetric and transitive but not reflexive   |
|        | (b) R is reflexive and symmetric but not transitive   |
|        | (c) R is equivalence  |
|        | (d) R is reflexive and transitive but not symmetric   |

| 8   | Let A be the set of all points in a plane and let O be the origin. Let  |
|-----|---|
|     | $R = \{(P, Q) : OP = OQ\}$ . Then, R is   |
|     | (a) reflexive and symmetric but not transitive  |
|     | (b) reflexive and transitive but not symmetric  |
|     | (c) symmetric and transitive but not reflexive  |
|     | (d) an equivalence relation   |
| 9   | If $f = \{(1, 2), (3, 5), (4, 1)\}$ and $g = \{(2, 3), (5, 1), (1, 3)\}$ then $(go f) = ?$  |
|     | (a) {(3, 1), (1, 3), (3, 4)}  |
|     | (b) {(1, 3), (3, 1), (4, 3)}  |
|     | (c) {(3, 4), (4, 3), (1, 3)}  |
|     | (d) {(2, 5), (5, 2), (1, 5)}  |
| 10  | Let X = {-1, 0, 1}, Y = {0, 2} and a function f : X $\rightarrow$ Y defined by y = 2x <sup>4</sup> , is                                     |
|     | (a) one-one onto  |
|     | (b) one-one into  |
|     | (c) many-one onto   |
|     | (d) many-one into   |
|     |   |
|     |   |
|     |   |
| 11  | Set A has 2 elements and the set B has 3 elements. Then the number of relations that can be   |
|     | defined from set A to set B is  |
|     | (a) 144   |
|     | (b) 12  |
|     | (c) 24  |
|     | (d) 64  |
| 12  | Let A be the set of all 50 students of Class X in a school. Let $f : A \rightarrow N$ be function defined by $f(x)$                         |
|     | = roll number of the student x.   |
|     | (a) f is neither one-one nor onto.  |
|     | (b) f is one-one but not onto   |
|     | (c) f is not one-one but onto   |
|     | (d) none of these   |
| 13  | Let R be the relation in the set N given by $R = \{(a, b) : a = b - 3, b > 6\}$ . Choose the correct answer.                                |
|     | (A) (2, 4) $\epsilon$ R   |
|     | (B) (3, 8) <i>E</i> R   |
|     | (C) (6, 8) $\epsilon$ R   |
| 1.4 | (D) (4, 7) $\in \mathbb{R}$   |
| 14  | The function $f: R \to R$ , defined as $f(x) = x^2$ , is  |
|     | (a) neither one-one nor onto  |
|     |   |
|     | (c) one-one   |
| 15  | [u]  for  U = 0  trese  |
| 12  | Let $\pi$ be a relation defined on 2 as follows: ( $x, y \in K \Leftrightarrow  x-y  \leq 1$ . Then $K$ is:<br>(a) Peflevive and transitive |
|     | (a) Reflexive and commetric   |
|     | (b) Reliexive and symmetric   |
|     | (d) an equivalence relation   |
| 16  | $[u] an equivalence relation Lot A={1,2,2} and consider the relation P={(1,1)} (2,2) (2,2) (1,2) (2,2) (1,2)}. Then P is$                   |
| 10. | Let A-{1,2,3} and consider the relation R-{(1,1),(2,2),(3,3),(1,2),(2,3),(1,3)}. Then R is  |

|     | (A) Reflexive but not symmetric  |  |  |  |
|-----|--|--|--|--|
|     | (B) Reflexive but not transitive<br>(C) Symmetric and transitive                                       |  |  |  |
|     | (C) Symmetric and transitive   |  |  |  |
|     | Neither symmetric nor transitive   |  |  |  |
| 17. | Let S be the set of all real numbers. Then the relation R={(a ,b):1+ab>0} on S is                      |  |  |  |
|     | (A) Reflexive and symmetric but not transitive.  |  |  |  |
|     | (B) Reflexive and transitive but not symmetric.  |  |  |  |
|     | (C) Symmetric and transitive but not reflexive.  |  |  |  |
|     | Reflexive, symmetric and transitive.   |  |  |  |
| 18  | Let R be a relation defined on Z as follows:   |  |  |  |
|     | (a, b)∈ R⇔a <sup>2</sup> +b <sup>2</sup> =25. Then the domain of R is                                  |  |  |  |
|     | (A) {3,4,5}  |  |  |  |
|     | (B) {0,3,4,5}  |  |  |  |
|     | (C) $\{0, \pm 3, \pm 4, \pm 5\}$   |  |  |  |
|     | None of these  |  |  |  |
| 19  | If A={a, b, c}, then the relation R={(b, c)} on A is   |  |  |  |
|     | (A) Reflexive only   |  |  |  |
|     | (B) Symmetric only   |  |  |  |
|     | (C) Transitive only  |  |  |  |
| 20  | Reflexive and transitive only.   |  |  |  |
| 20  | Let I be the set of all triangles in the Euclidean plan and let a relation R on I be defined as a R b, |  |  |  |
|     | If a is congruent to b, $\forall a, b \in I$ . Then R is   |  |  |  |
|     | (A) Reflexive but not transitive   |  |  |  |
|     | (B) Transitive but not symmetric   |  |  |  |
|     | (C) Equivalence  |  |  |  |
| 21  | Which of the following statement/statements is/are correct?  |  |  |  |
| 21  | (A) If R and S are two equivalence relations on a set A, then $R \cap S$ is also an equivalence        |  |  |  |
|     | relation on A  |  |  |  |
|     | (B) The union of two equivalence relations on a set is not necessarily relation on the set.            |  |  |  |
|     | (C) The inverse of an equivalence relation is an equivalence relation.                                 |  |  |  |
|     | All of above   |  |  |  |
| 22  | Let f: $R \rightarrow R$ be defined as f(x) =x <sup>4</sup> .  |  |  |  |
|     | (A) f is one -one onto   |  |  |  |
|     | (B) f is many –one onto  |  |  |  |
|     | (C) f is one-one but not onto  |  |  |  |
|     | f is neither one-one nor onto  |  |  |  |
| 23  | Set A has 3 elements and the set B has 4 elements then numbers of injective functions that can         |  |  |  |
|     | be defined from set A to set B is:   |  |  |  |
|     | (A) 120  |  |  |  |
|     | (B) 24   |  |  |  |
|     | (C) 144  |  |  |  |
|     | 64   |  |  |  |
| 24  | Consider the set A= {4, 5}. The smallest equivalence relation (i.e. the relation with the least        |  |  |  |
|     | number of elements), is:   |  |  |  |
|     | (A) { }  |  |  |  |
|     | (B) {(4,5)}  |  |  |  |
|     | $(C) \{(4,4),(5,5)\}$  |  |  |  |
|     | {(4,5),(5,4)}  |  |  |  |
| 25. | It a function f:[2,∞)→B defined by f(x)=x <sup>2</sup> −4x +5 is a bijection , then B=                 |  |  |  |

|     | (A) R   |  |  |  |
|-----|---|--|--|--|
|     | (B) [1,∞)   |  |  |  |
|     | (C) [4,∞)   |  |  |  |
|     | [5,∞)   |  |  |  |
| 26. | Which of the following functions from Z to itself are bijection?  |  |  |  |
|     | (A) $f(x) = x^3$  |  |  |  |
|     | (B) $f(x) = x + 2$  |  |  |  |
|     | (C) $f(x)=2x+1$   |  |  |  |
|     | $f(x) = x^2 + x$  |  |  |  |
| 27. | A function f from the set of natural numbers to integers  |  |  |  |
|     | $\left(\frac{n-1}{2}\right)$ , when n is odd  |  |  |  |
|     | $f(n) = \begin{cases} \frac{2}{-n} & \text{when } n \text{ is even} \end{cases}$  |  |  |  |
|     | $\begin{pmatrix} 2 \end{pmatrix}$ , which is even<br>(A) and and but not onto   |  |  |  |
|     | (A) one- one but not onto   |  |  |  |
|     | (B) onto but not one-one  |  |  |  |
|     | (c) one-one and onto both   |  |  |  |
| 20  | In the set 7 of all integers, which of the following relation R is not an equivalence relation?   |  |  |  |
| 20. | (A) $x B y \cdot if x < y$  |  |  |  |
|     | $(A) x A y : i f x \leq y$ $(B) x B y : i f x = y$  |  |  |  |
|     | (c) $x R y : if x - y$ is an even integer   |  |  |  |
|     | $x R y : if x \equiv y (mod 3)$   |  |  |  |
| 29. | Domain of the function $f(x) = \sqrt{64 - x^2}$ is  |  |  |  |
|     | (A) [-8,8]  |  |  |  |
|     | (B) [-16,16]  |  |  |  |
|     | (C) [0,4]   |  |  |  |
|     | [-5,5]  |  |  |  |
| 30. | Let f: $R \rightarrow R$ be defined by  |  |  |  |
|     | (2x : x > 3)  |  |  |  |
|     | $f(x) = \{x^2 : 1 < x \le 3\}$  |  |  |  |
|     | $\int 3x : x \le 1$   |  |  |  |
|     | (A) = (A)   |  |  |  |
|     |   |  |  |  |
|     | $(\mathbf{B}) 14$   |  |  |  |
|     | None of these   |  |  |  |
| 31  | If $f: R \rightarrow R$ be the function defined by $f(r) - r^3 + 5$ then $f^{-1}(r)$ is   |  |  |  |
| 01  | $\int \frac{1}{\sqrt{2}} \frac{1}{$ |  |  |  |
|     | a) $(x+5)^{-1}$   |  |  |  |
|     | b) $(x-5)^{1/3}$  |  |  |  |
|     | c) $(5-r)^{1/3}$  |  |  |  |
|     |   |  |  |  |
|     | $d)^{5-x}$  |  |  |  |
| 32  | Let $f:[2,\infty) \to R$ be the function defined by $f(x) = x^2 - 4x + 5$ , then the range of $f(x)$ is   |  |  |  |
|     | a) R  |  |  |  |
|     | b) $[1,\infty)$   |  |  |  |
|     | c) $[4,\infty)$   |  |  |  |
|     | $[5 \infty]$  |  |  |  |
| 22  | $\frac{d}{d} = \frac{1}{d} \frac{d^2}{d^2} \frac{d^2}{d^2$  |  |  |  |
| 55  | If $f: K \to K$ be the function given by $f(x) = \cot x$ , then $f^{-1}(1)$ is  |  |  |  |

ZIET, BHUBANESWAR

|    | a) $\frac{\pi}{4}$  |  |  |
|----|---|--|--|
|    | $\begin{pmatrix} 4 \\ n\pi \\ \pi \\ n\pi \\ \pi \\ n\pi \\ \pi \\ \pi \\ \pi \\ \pi $  |  |  |
|    | b) $\left\{ \frac{n\pi + -1}{4} : n \in \mathbb{Z} \right\}$  |  |  |
|    | c) Does not exist   |  |  |
| 34 | d)None of these<br>Let $A = \{1, 2, 3\}$ define a relation P in the set A as $P = \{(1, 1), (2, 2), (3, 3), (1, 3)\}$ then which of |  |  |
| 51 | the following ordered pairs should be added to R to make it the smallest equivalence relation 2                                     |  |  |
|    | a) (1.3)  |  |  |
|    | b) $(3.1)$  |  |  |
|    | $b_{j} = (3,1)$   |  |  |
|    | c) $(2,1)$  |  |  |
|    | d) $^{(1,2)}$   |  |  |
| 35 | Let $f: R \to R$ be a function given by $f(x) = [x]  \forall x \in R$ , then $f(x)$ is  |  |  |
|    | a) One-one  |  |  |
|    | b) Onto<br>c) Both one and onto   |  |  |
|    | d)Neither one-one nor onto  |  |  |
| 36 | Let $f: N \to N$ be defined by $f(1) = f(2) = 1$ and $f(x) = x - 2, x > 2$ , then $f(x)$ is   |  |  |
|    | a) One-one onto   |  |  |
|    | b) Many-one onto  |  |  |
|    | c) One-one but not onto   |  |  |
|    | d)Many-one but not onto   |  |  |
| 37 | If $A = \{1, 2, 3,, n\}$ and $B = \{a, b\}$ then the number of surjections from A into B is   |  |  |
|    | a) $^{n}P_{2}$  |  |  |
|    | b) $2^n - 1$  |  |  |
|    | c) $2^n - 2$  |  |  |
| 20 | d) $n^2 - n$  |  |  |
| 38 | in the set A has 4 elements and set B has 5 elements , then the number of onto functions from A into B is                           |  |  |
|    | a) 12 b)10 c) 79 d) 0   |  |  |
| 39 | If the number of elements in set A is 5 and number of elements in set B is 4 then the number of                                     |  |  |
|    | one-one functions from A into B is  |  |  |
|    | a) 0  |  |  |
|    | D) 5<br>c) 20   |  |  |
|    | d)18  |  |  |
| 40 | . If set A has 4 elements and set B has 3 elements then the number of onto functions from A into                                    |  |  |
|    | B is  |  |  |
|    | a) 81   |  |  |
|    | b) 0  |  |  |
|    | c) 36<br>d)45   |  |  |
| 41 | . Let R be a relation on R ( set of reals) defined by $R = \{(a,b) : a \le b\}$ , then R is   |  |  |
|    | a) An equivalence relation  |  |  |
|    | b) Reflexive , symmetric but not transitive   |  |  |

|    | c) Symmetric , transitive but not reflexive  |  |  |
|----|--|--|--|
|    | d)Reflexive, and transitive but not symmetric.   |  |  |
| 42 | Let R be a relation on R ( set of reals) defined by $R = \{(a,b): a \le b^2\}$ , then R is   |  |  |
|    | a) Reflexive, and transitive but not symmetric.  |  |  |
|    | b) Neither reflexive nor symmetric nor transitive  |  |  |
|    | c) Symmetric , transitive but not reflexive  |  |  |
| 42 | d)Reflexive , symmetric but not transitive   |  |  |
| 43 | Let $A = \{x \in \mathbb{Z} : 0 \le x \le 10\}$ and R be a relation on A defined as  |  |  |
|    | $R = \{(a,b): a, b \in A,  a-b  is divisible by 3\}$ , then the equivalence class [2] is   |  |  |
|    | a) $\{2,5,8\}$   |  |  |
|    | b) $\{0,3,8\}$   |  |  |
|    | c) $\{3, 6, 9\}$   |  |  |
|    | d)None of these.   |  |  |
| 44 | A function $f: X \to Y$ is onto if and only if   |  |  |
|    | a) Range of f = Y  |  |  |
|    | b) Range of $f \subset Y$  |  |  |
|    | c) Range of $f \supset Y$  |  |  |
|    | d) Range of $f \neq Y$   |  |  |
| 45 | . Let $f: N - \{1\} \rightarrow N$ be defined by , $f(n) = the highest prime factor of n$ , then f is  |  |  |
|    | a) One-one onto  |  |  |
|    | b) One-one but not onto  |  |  |
|    | c) Neither one-one nor onto  |  |  |
|    | The function $f: A \rightarrow B$ defined by $f(x) = Ax + 7$ $x \in B$ is  |  |  |
|    | The function $T: A \rightarrow B$ defined by $f(x) = 4x + 7$ , $x \in R$ is  |  |  |
|    | (b) Many-one   |  |  |
|    | (c) Odd  |  |  |
| 46 | (d) Even   |  |  |
|    | The smallest integer function f(x) = [x] is  |  |  |
|    | (a) One-one  |  |  |
|    | (b) Many-one   |  |  |
| 47 | (c) Both (a) & (b)   |  |  |
| 47 | (d) None of these $(1) = (1) + ct f + (1) + (1) + ct f +$ |  |  |
|    | Let $A = R - \{3\}$ , $B = R - \{1\}$ . Let $T : A \rightarrow B$ be defined by $f(x)=x-2x-3$ . Then,  |  |  |
|    | (a) is one-one but not onto  |  |  |
|    | (c) f is onto but not one-one  |  |  |
| 48 | (d) None of these  |  |  |
|    | The number of bijective functions from set A to itself when A contains 106 elements is-  |  |  |
|    | (a) 106  |  |  |
|    | (b) (106) <sup>2</sup>   |  |  |
|    | (c) 106!   |  |  |
| 49 | $(d) 2^{100}$  |  |  |
|    | Let I be the set of all triangles in the Euclidean plane, and let a relation R on I be defined as aRb if a is congruent to b $\forall a, b \in T$ . Then P is  |  |  |
| 50 | (a) reflexive but not transitive   |  |  |
| 50 |  |  |  |

|    | (b) transitive but not symmetric  |  |
|----|---|--|
|    | (c) equivalence<br>(d) None of these  |  |
|    | (d) None of these   |  |
|    | The maximum number of equivalence relations on the set A = $\{1, 2, 3\}$ are  |  |
|    | (a) 1(b) 2(c) 3(d) 5  |  |
| 51 |   |  |
|    | Let us define a relation R in R as aRb if a $\geq$ b. Then R is   |  |
|    | (a) an equivalence relation   |  |
|    | (b) reflexive, transitive but not symmetric   |  |
|    | (c) symmetric, transitive but not reflexive   |  |
| 52 | (d) neither transitive nor reflexive but symmetric  |  |
|    | Let A = $\{1, 2, 3\}$ and consider the relation R = $\{(1, 1), (2, 2), (3, 3), (1, 2), (2, 3), (1, 3)\}$ . Then R is                          |  |
|    | (a) reflexive but not symmetric   |  |
|    | (b) reflexive but not transitive  |  |
|    | (c) symmetric and transitive  |  |
| 53 | (d) neither symmetric, nor transitive   |  |
|    | Let f : R $\rightarrow$ R be defind by f(x) = $\frac{1}{x} \forall x \in$ R. Then f is  |  |
|    | (a) one-one   |  |
|    | (b) onto  |  |
|    | (c) bijective   |  |
| 54 | (d) f is not defined  |  |
|    | Which of the following functions from Z into Z are bijective?   |  |
|    | (a) $f(x) = x^3$  |  |
|    | (b) $f(x) = x + 2$  |  |
|    | (c) $f(x) = 2x + 1$   |  |
| 54 | (d) $f(x) = x^2 + 1$  |  |
|    | Let R be a relation on the set N of natural numbers denoted by $nRm \Leftrightarrow n$ is a factor of m (i.e. n                               |  |
|    | m). Then, R is  |  |
|    | (a) Reflexive and symmetric   |  |
|    | <ul><li>(b) Transitive and symmetric</li><li>(c) Equivalence</li></ul>  |  |
|    | (c) Equivalence   |  |
| 55 | (d) Reflexive, transitive but not symmetric   |  |
|    | Let C (1, 2, 2, 4, 5) and let A C + C Define the veletion D on A on follower  |  |
|    | Let $S = \{1, 2, 3, 4, 5\}$ and let $A = S \times S$ . Define the relation R on A as follows:   |  |
|    | (a, b) R (c, d) III ad = cb. Then, R is   |  |
|    | (a) reflexive only  |  |
|    | (b) Symmetric only  |  |
| EC | (d) Equivalence relation  |  |
| 50 | (d) Equivalence relation<br>The relation R is defined on the set of natural numbers as $((a, b) : a = 2b)$ . Then R <sup>-1</sup> is given by |  |
|    | (a) J(2, 1) (A, 2) (6, 3)   |  |
|    | (a) [(2, 1), (4, 2), (0, 3),]<br>(b) $J(1, 2) (2, 4) (3, 6)$  |  |
|    | (c) $R^{-1}$ is not defined   |  |
| 57 | (d) None of these   |  |
| 57 | $\int dy = x^2 - 4x - 5$ then   |  |
|    | (a) g is one-one on R   |  |
|    | (b) g is not one-one on R   |  |
|    | (c) g is bijective on R   |  |
| 58 | (d) None of these   |  |
|    |   |  |

|    | Let A = {x : $-1 \le x \le 1$ } and f : A $\rightarrow$ A is a function defined by f(x) = x  x  then f is |   |  |
|----|---|---|--|
|    | (a) a bijection   |   |  |
|    | (b) injection but not surjection  |   |  |
|    | (c) surjection but not injection  |   |  |
| 59 | (d) neither injection nor surjection  |   |  |
| 60 | If A={5,6,7} and let R={(5,5),(6,6),(7,7),(5,6),(6,5),(6,7),(7,6)}. Then R is                             |   |  |
|    | (A) Reflexive, symmetric but not Transit  | ive (B) Symmetric, transitive but not reflexive   |  |
|    | (C) Reflexive, Transitive but not symmet  | ric (D) anequivalencerelation   |  |
| 61 | LetRbearelationdefinedonZasfollows:   |   |  |
|    | $(a,b) \in R \Leftrightarrow a^2+b^2 = 25$ . Then Domain  | of R is   |  |
|    | (A) {3,4,5}   | (B) {0,3,4,5}   |  |
|    | (C) (0,±3,±4,±5}  | (D) None of these   |  |
| 62 | Themaximumnumberof equivalencer   | elationsonthe setA={a ,b ,c}is  |  |
|    | (A) 1   | (B) 2   |  |
|    | (c) 3   | (D) 5   |  |
| 63 | LetRbeareflexiverelationonafinitesetA   | havingnelementsandlettherebemorderedpairs in R, then  |  |
|    | (A) m <n< th=""><th>(B) m&gt;n</th></n<>  | (B) m>n   |  |
|    | (C) m=n   | (D) None of these   |  |
|    |   |   |  |
| 64 | The number of elements in set A is  | 3. The number of possible relations and let there can be  |  |
|    | defined on A is   |   |  |
|    | (A) 8   | (B) 512   |  |
|    | (C) 64  | (D) 4   |  |
|    |   |   |  |
|    | N is the set of all natural numbers and R is a relation on N×N defined by (a,b) R (c,d) if and only if    |   |  |
|    | a+a=b+c, then R is  | (D) only symmetric  |  |
|    | (C) only transitive   | (D) equivalence relation  |  |
| 65 |   |   |  |
| 05 | The relation R defined on the set $\Lambda - \{1, \dots, N\}$   | 2.3.4.5 by $P = J(a b) :  a^2 - b^2  > 16$ is given by  |  |
|    | $(\Delta) (1 \ 1) (2 \ 1) (3 \ 1) (4 \ 1) (2 \ 3)$  | $(B) \{(2, 2), (3, 2),$ |  |
|    | (A) (1,1), (2,1), (3,1), (4,1), (2,3)   | (D) $((2,2), (3,2), (4,2), (2,4))$  |  |
| 66 |   |   |  |
|    | Let Rhearelation on the set Nofnatural n  | unbersdefinedbyaRbifandonlyif adivides h. ThenRis   |  |
|    | (A) Reflexive and Symmetric   | B) TransitiveandSymmetric   |  |
|    | (C) Equivalence   | D) Reflexive and Transitive but not symmetric   |  |
| 67 |   | by hence we and transitive but not symmetrie  |  |
|    | ConsiderthesetA={4.5}.Thesmallesteg   | uivalencerelation(i.etherelationwiththeleast number   |  |
|    | ofelements), is   |   |  |
|    | (A) {Ø}   | (B) {(4.5)}   |  |
|    | (C) {(4,4), (5,5),}   | (D) (4,5), (5,4)}   |  |
| 68 |   |   |  |
|    | LetP={a, b, c}.ThenthenumberofEquiv   | alencerelationscontaining(a, b)is   |  |
|    | (A) 1   | (B) 2   |  |
|    | (C) 3   | (D) 4   |  |
| 69 |   |   |  |
|    | Let {1,2,3} and consider the relation R   | ={(1,1), (2,2), (3,3), (1,2), (2,3), (1,3)}. Then R is  |  |
|    | (A) Reflexive but not symmetric   | (B) reflexive but not transitive  |  |
|    | (C) Symmetric and transitive  | (D) neither symmetric, nor transitive   |  |
| 70 |   |   |  |

|    | Let A={1,2,3,n} and B={a,b}. Then the number of   | surjections from A to B is                    |
|----|---|---|
|    | (A) n!/(n-2)!   | (B) 2 <sup>n</sup> -2                         |
|    | (C) 2 <sup>n</sup> -1   | (D) None of these                             |
|    |   |   |
|    |   |   |
|    |   |   |
| 71 |   |   |
|    | Let f: $R \rightarrow R$ be defined by f(x) =1/x, $\forall x \in R$ . Then f is                         |   |
|    | (A) one-one   | (B) onto                                      |
|    | (C) Bijective   | (D) f is not defined                          |
| 72 |   |   |
|    | Which of the following functions from Z into Z are bijectons?   |   |
|    | (A) $f(x) = x^{3}$  | (B) $f(x) = x+2$                              |
| 70 | (C) f(X) = 2X + 1   | (D) $f(x) = x^2 + 1$                          |
| /3 | Let $f : D \to D$ be defined as $f(y) = 2y$ . Choose the con-   | reat answer                                   |
|    | Let $\Gamma: R \rightarrow R$ be defined as $\Gamma(x) = 3x$ . Choose the control (A) f is one one onto | (P) fic many one onto                         |
|    | (C) fis one-one but ente  | (B) f is many-one one per ente                |
| 7/ |   |   |
| 74 | The maximum number of equivalence relations of  | n the set $\Delta = \{1, 2, 3\}$ are          |
|    | (A) 1   |   |
|    | (B) 2   |   |
|    | (C) 3   |   |
| 75 | (D) 5   |   |
|    | If A = $\{1, 2, 3\}$ and consider the relation R = $\{(1, 1),$  | (2,2), (3,3), (1,2), (2,3), (1,3)}, then R is |
|    | (A) reflexive but not symmetric   |   |
|    | (B) reflexive but not transitive  |   |
|    | (C) symmetric and transitive  |   |
| 76 | (D) neither symmetric nor transitive  |   |
|    | If f : R $\longrightarrow$ R be defined by $f(x) = \frac{1}{x}$ , $\forall x \in R$ , the               | n f is  |
|    | (A) one-one   |   |
|    | (B) onto  |   |
|    | (C) bijective   |   |
| 77 | (D) f is not defined  |   |
|    | Let A = $\{1, 2, 3, 4\}$ and B = $\{1, 2\}$ , then number of onto functions from A to B is              |   |
|    | (A) 14  |   |
|    | (B) 16  |   |
|    | (C) 12  |   |
| 78 | (D) 8   |   |
|    | The function f : R $\rightarrow$ R defined by $f(x) = 2^x + 2^y$  | <sup>x</sup> is                               |
|    | (A) one – one and onto  |   |
|    | (B) many one and onto   |   |
|    | (C) one – one and into  |   |
| 79 | (D) many one and into   |   |
|    | The function $f: \mathbb{R} \longrightarrow \mathbb{R}$ defined by $f(x) = (x - 1)(x - 1)(x - 1)$       | -2)(x-3) is                                   |
|    | (A) one-one but not onto  |   |
|    | (B) onto but not one-one  |   |
| 80 | (C) point one-one and onto  |   |
| 80 | ע) neither one-one nor onto   |   |

|                          | Let $f(x) = x^2$ and $g(x) = 2^x$ . Then the solution set of the equation fog (x) = gof (x) is   |  |
|--------------------------|--|--|
|                          | (A) R  |  |
|                          | (B) {0}  |  |
|                          | (C) {0, 2}   |  |
| 81                       | (D) None of these  |  |
|                          | If $g(x) = x^2 + x - 2$ and $\frac{1}{2}gof(x) = 2x^2 - 5x + 2$ , then f(x) is equal to  |  |
|                          | (A) $2x - 3$   |  |
|                          | (B) 2x + 3   |  |
|                          | (C) $2x^2 + 3x + 1$  |  |
| 82                       | (D) $2x^2 - 3x - 1$  |  |
|                          | The inverse of the function f (x) = $3x - 5$ , $x \in R$ is  |  |
|                          | $(A) \frac{1}{2r-5}$   |  |
|                          | (B) $\frac{x+5}{x+5}$  |  |
|                          | $\begin{pmatrix} 0 \end{pmatrix}_{3}$  |  |
|                          | (C) $\frac{1}{3x+5}$   |  |
| 83                       | $(D) \frac{1}{5r-3}$   |  |
|                          | Let $f: R - \{\frac{3}{-}\} \to R - \{\frac{3}{-}\}$ be function defined by $f(x) = \frac{3x+2}{2}$ for all $x \in R - \{\frac{3}{-}\}$ . Then $f^{-1}$  |  |
|                          | $\begin{bmatrix} 1 & 0 \\ 5 \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 5 \end{bmatrix} \begin{bmatrix} 1 & 0 \\ 5 $ |  |
|                          | $(\Delta)$ f   |  |
|                          | (A) 1<br>(B) 2f  |  |
|                          | (C) 3f   |  |
| 84                       | (D) 5f   |  |
|                          | Let $f(x) = \frac{x-1}{x}$ Then for $f^{-1}$ is  |  |
|                          | $\left( A \right) x$   |  |
|                          | (A) x  |  |
|                          | $\begin{pmatrix} 0 \\ \overline{x} \\ (0) \\ r + 1 \end{pmatrix}$  |  |
|                          | (C) x + 1  |  |
| 85                       | $(D) \frac{2}{x+1}$  |  |
|                          | Let f (x) = sin x + cos x and g(x) = $x^2 - 1$ . Then the domain in which gof (x) is invertible  |  |
|                          | $(A) \left[-\frac{\pi}{4}, \frac{\pi}{4}\right]$   |  |
|                          | (B) $[0, \frac{\pi}{4}]$   |  |
|                          | $(C) \left[ -\frac{\pi}{2}, \frac{\pi}{2} \right]$   |  |
|                          | $\begin{bmatrix} C \end{bmatrix} \begin{bmatrix} \frac{1}{2}, \frac{1}{2} \end{bmatrix}$   |  |
| 86                       | $(D) [0, \frac{1}{2}]$   |  |
|                          | Let f : R $\rightarrow$ R be a function defined by $f(x) = \frac{x^2 - 8}{x + 2}$ . Then f is  |  |
|                          | (A) one-one but not onto   |  |
|                          | (B) one-one and onto   |  |
| (C) onto but not one-one |  |  |
| 87                       | (D) neither one-one nor onto   |  |
|                          | Let f : R $\rightarrow$ R be given by f(x) = x <sup>2</sup> – 3. Then f <sup>-1</sup> is given by  |  |
|                          | (A) $\sqrt{x+3}$   |  |
|                          | (B) $\sqrt{x} + 3$   |  |
|                          | (C) $x + \sqrt{3}$   |  |
| 88                       | (D) $\sqrt{x} + \sqrt{3}$  |  |
|                          | Which of the following functions from A = $\{x : -1 \le x \le 1\}$ to itself are bijection?  |  |
| 89                       | (A) $f(x) = \frac{x}{2}$   |  |
|                          | 1  |  |

|    | (B) $g(x) = \sin(\frac{\pi x}{2})$   |  |  |
|----|--|--|--|
|    | (C) $h(x) =  x ^{2}$   |  |  |
|    | (D) $k(x) = x^2$   |  |  |
|    | If A = {5,6,7} and let R ={(5,5),(6,6),(7,7),(5,6),(6,5),(6,7),(7,6). Then R is                    |  |  |
|    | (a) Reflexive, symmetric but not Transitive  |  |  |
|    | (b) Symmetric, transitive but not reflexive  |  |  |
|    | (c) Reflexive, Transitive but not symmetric  |  |  |
| 90 | an equivalence relation  |  |  |
|    | Let R be a relation defined on Z as follows:   |  |  |
|    | (a,b)€ R⇔a²+b²=25 then domain of R is  |  |  |
|    | (a) {3,4,5}  |  |  |
|    | (b) {0,3,4,5}  |  |  |
|    | (c) $\{0,\pm 3,\pm 4,\pm 5\}$  |  |  |
| 91 | None of these  |  |  |
|    | The maximum number of equivalence relationsonthe set A= {1, 2, 3}is                                |  |  |
|    | (a) 1  |  |  |
|    | (b) 2  |  |  |
|    | (c) 3  |  |  |
| 92 | 5  |  |  |
|    | Consider the set A= {1, 2}. The relation on A which is symmetric but neither transitive nor        |  |  |
|    | reflexive is   |  |  |
|    | (a) {(1,1) (2,2) }   |  |  |
|    | (b) { }  |  |  |
|    | (c) {(1,2)}  |  |  |
| 93 | { (1,2) (2,1) }  |  |  |
|    | If A ={d,e,f} and let R={(d,d),(d,e),(e,d),(e,e)},then R is  |  |  |
|    | (a) Reflexive, symmetric but notTransitive   |  |  |
|    | (b) Symmetric, transitive but not reflexive  |  |  |
|    | (c) Reflexive, Transitive but not symmetric  |  |  |
| 94 | an equivalence relation  |  |  |
|    | Let R be a reflexive relation on a finite set A having n elements and let there be m ordered pairs |  |  |
|    | in R,then  |  |  |
|    | (a) m < n  |  |  |
|    | (b) m > n  |  |  |
| 05 | (c) m = n  |  |  |
| 95 | none of these  |  |  |
|    | The number of elements in set A is 3. The number of possible relations that can be defined on A is |  |  |
|    |  |  |  |
|    | (b) 4  |  |  |
| 06 |  |  |  |
| 90 | The number of elements in Set A is 2 The number of possible reflexive relations that can be        |  |  |
|    | defined in A is  |  |  |
|    |  |  |  |
|    | (a) 04<br>(b) 8  |  |  |
|    | (c) 512  |  |  |
| 97 |  |  |  |
| 57 | The number of elements in set P is 4 The number of nossible symmetric relations that can be        |  |  |
| 98 | defined on Pis   |  |  |
| 55 |  |  |  |

|      | (a)  | 16  |
|------|--|---|
|      | (b)  | 32  |
|      | (c)  | 512   |
|      | 1024   |   |
|      | Let P =                                      | - {a,b,c}.Then the number of Equivalence relations containing (a,b) is  |
|      | (a)  | 1   |
|      | (b)  | 2   |
|      | (c)  | 3   |
| 99   | 4  |   |
|      | A relat                                      | tion R on a set A is said to be reflexive if  |
|      | (i)  | $\forall a \in A, (a, a) \in R$   |
|      | (11)   | If $(a, b) \in R \Rightarrow (b, a) \in R$  |
|      | (111)  | If $(a, b) \in R$ and $(b, c) \in R \Rightarrow (a, c) \in R$   |
|      | (1V)   | $a \in A \Rightarrow (a, a) \in R$  |
| 100  |  |   |
|      | (1)  | If $R = \{2,3\}$ is a relation on the set $\{1,2,3\}$ then R is   |
|      | (1)  | Reflexive   |
|      | (11)   | Symmetric   |
| 4.04 | (111)  | Iransitive  |
| 101  | Equiva                                       |   |
|      | (1)  | It a relation R on the set $\{4,5,6\}$ be defined by R = $\{(4,5), (5,4), (4,4)\}$ then R is                          |
|      | (1)  | Reflexive   |
|      | (11)   | Symmetric   |
|      | (III)<br>(i) ()                              | Fransitive<br>Summatria and transitive  |
| 102  | (1V)   | Symmetric and transitive  |
| 102  |  | If a relation P on the set $\Lambda = \sqrt{2}$ (2.15) he defined by $P = \sqrt{2}$ (2.1) (4.2) (2.2) (4.4) then P is |
|      | (i)  | Reflexive   |
|      | (i)<br>(ii)                                  | Symmetric   |
|      | (iii)  | Transitive  |
|      | (iv)   | Symmetric and transitive  |
| 103  | ()   |   |
|      |  | R is a relation on a set A = $\{1,2\}$ them R is reflexive if   |
|      | (i)  | $(1,1) \in R$   |
|      | (ii)   | $(2,2) \in R$   |
|      | (iii)  | $\{(1,1), (2,2)\} \in \mathbb{R}$   |
|      | (iv)   | $(1,1), (2,2) \in R$  |
| 104  |  |   |
|      |  | The relation R = {(5,5), (6,6), (7,7)} defined on the set {5,6,7} is  |
|      | (i)  | Reflexive only  |
|      | (ii) Symmetric only<br>(iii) Transitive only |   |
|      |  |   |
|      | (iv)   | ) An Equivalence relation   |
| 105  |  |   |
|      |  | If R = {(a, b): 2 divides (a – b)} be the equivalence relation on the set A = {0,1,2,3,4,5} then                      |
|      |  | the equivalence class [0] is given by   |
|      | (i)  | {0,2,4}   |
|      | (ii)   | {1,3,5}   |
|      | (iii)  | {2,4}   |
| 106  | (iv)   | {3,5}   |

|     | If R be the relation perpendicular on the set of lines then R is   |                |
|-----|--|----------------|
|     | (i) Reflexive  |                |
|     | (ii) Symmetric   |                |
|     | (iii) Transitive   |                |
|     | (iv) An equivalence relation   |                |
| 107 |  |                |
|     | The function f: $[0, \infty) \rightarrow [0, 1)$ he defined by $f(x) = \frac{x}{x}$ then f is                              |                |
|     | $\lim_{x \to \infty} \frac{1}{1+x} = \frac{1}{1+x}$  |                |
|     | (i) One-one and onto   |                |
|     | (ii) One-one but not onto  |                |
|     | (iii) Onto but not one-one   |                |
|     | (iv) Neither one-one nor onto  |                |
| 108 |  |                |
|     | The function f: $[-1,1] \rightarrow R$ defined by f(x) = $\frac{x}{x+2}$ is  |                |
|     | (i) One-one and onto   |                |
|     | (ii) One-one but not onto  |                |
|     | (iii) Onto but not one-one   |                |
|     | (iv) Neither one-one nor onto  |                |
| 100 |  |                |
| 109 | The function f N $\rightarrow$ N defined by $f(y) = y - 1$ and $f(1) = f(2) = 1$ for                                       |                |
|     | (i) One are and ante   | every x > 2 is |
|     | (I) One-one and onto   |                |
|     | (II) One-one but not onto  |                |
|     | (iii) Onto but not one-one   |                |
| 110 | Neither one-one nor onto   |                |
|     | Let $E = \{1,2,3,4\}$ and $F = \{1,2\}$ then the number of functions from E  | to F is        |
|     | (i) 14   |                |
|     | (ii) 16  |                |
|     | (iii) 12   |                |
|     | (iv) 8   |                |
| 111 |  |                |
|     | Which of the following functions from $Z \rightarrow Z$ is onto  |                |
|     | (i) $f(x) = x^3$   |                |
|     | (ii) $f(x) = 2x + 1$   |                |
|     | (ii) $f(x) = x + 2$  |                |
|     | $(in)$ $(x) - x^2 \pm 1$   |                |
| 112 | (10) $1(x) - x$ $1$ 1  |                |
| 112 | If $A = \{1, 2, 2, 4\}$ and $B = \{2, 5, 7, 9, 0\}$ and f: $A \rightarrow B$ he defined by $f(x) = 3$                      | y+1 thon fic   |
|     | $(i) \qquad \text{One are and entermined} = \{5,5,7,6,5\} \text{ and } 1: A \rightarrow B \text{ be defined by } I(X) = 2$ |                |
|     | (i) One-one and onto   |                |
|     | (II) One-one but not onto  |                |
|     | (iii) Onto but not one-one   |                |
|     | (iv) Neither one-one nor onto  |                |
| 113 |  |                |
|     | If R be the relation on Z defined by R = {(a, b): ab > -1} then R is   |                |
|     | (i) Reflexive and transitive but not symmetric   |                |
|     | (ii) Symmetric and transitive but not reflexive  |                |
|     | (iii) Reflexive and symmetric but not transitive   |                |
| 114 | An equivalence relation  |                |
|     | Let A = $\{x, y, z\}$ . Then the number of equivalence relations containing $\{y, z\}$                                     | and (z,y) is   |
| 115 | (A) 1  | · · · · ·      |
|     |  |                |

|     | (B) 2   |
|-----|---|
|     | (C) 3   |
|     | (D) 4   |
|     | The number of relations on a set having 3 elements is   |
|     | (A) 512   |
|     | (B) 8   |
|     | (C) 16  |
| 116 | (D) 32  |
|     | A one - one function f : $\{a,b,c\} \rightarrow \{a,b,c\}$ is   |
|     | (A) onto  |
|     | (B) not onto  |
|     | (C) not bijective   |
| 117 | (D) none of these   |
|     | A real function from R to R defined by $f(x) = 7 - 6x$ is   |
|     | (A) one - one   |
|     | (B) onto  |
|     | (C) one – one and onto function   |
| 118 | (D) neither one – one nor onto  |
|     | A real function from R to R defined by $f(x) =  x  + 1$ is  |
|     | A) one - one  |
|     | (B) onto  |
|     | (C) one – one and onto function   |
| 119 | (D) neither one – one nor onto  |
| 115 | The number of bijective functions from set A to itself when A contains 6 elements is  |
|     |   |
|     |   |
|     | $(C) 6^{2}$   |
| 120 | (C) = (C) + (C) |
| 120 | The maximum number of equivalence relations on the set $A = \{n, q, r\}$ is   |
|     | $(\Delta)$ 1  |
|     | (B) 2   |
|     | (0) 2 $(0)$ 3   |
| 121 | (D) 5   |
|     | Which of the following function from 7 to 7 is hijective?   |
|     | $(\Delta) f(\mathbf{x}) = \mathbf{x} + 2$   |
|     | (A) f(x) = 2x + 2<br>(B) $f(x) = 2x + 1$  |
|     | (C) f(x) = 2x + 1   |
| 122 | $(C) f(x) = x^{3}$  |
| 122 | The relation $\mathbf{P} = J(1, 1)$ (2, 2)) defined on the set $\Lambda = J(1, 2, 2)$ is  |
|     | (A)  transitive   |
|     | (B) not transitive  |
|     | (C) reflexive   |
| 172 | (D) not symmetric   |
| 125 |   |
|     | The greatest integer function $f(x) = [x]$ defined from P to P is   |
|     | [A] injective function (X) = [X] defined from K to K is   |
|     | (A) injective function  |
|     | (C) bijective function  |
| 124 | (C) bijective function<br>(D) poither injective per surjective function   |
| 124 | (D) neither injective nor surjective function<br>If $p(A) = m$ and $p(B) = n$ , then then number of relations from $A$ to $D$ is  |
| 125 | if $n(A) = m$ and $n(B) = n$ , then then number of relations from A to B is   |

|       | (A) mn   |
|-------|--|
|       | (B) m + n  |
|       | (C) 2 <sup>mn</sup>  |
|       | (D) m <sup>n</sup>   |
|       | A relation $R = \{(a,a,),(a,b),(b,a)\}$ defined on a set $A = \{a,b\}$ is                      |
|       | (A) reflexive but not transitive   |
|       | (B) transitive and symmetric   |
|       | (C) transitive   |
| 126   | (D) symmetric but not reflexive  |
|       | The number of one - one functions from A = (1,2,3,4,5n) to itself is                           |
|       | (A) n  |
|       | (B) n <sup>2</sup>   |
|       | (C) 2 <sup>n</sup>   |
| 127   | (D) n!   |
|       | Consider a set $A = (x,y)$ . The equivalence relation on A with least number of elements is    |
|       | (A) {}   |
|       | (B) {(x,x)}  |
|       | (C) {(x,y),(y,x)]  |
| 128   | (D) {(x,x),(y,y)]  |
|       | Number of reflexive relations on the set $A = \{1,2\}$ is                                      |
|       | (A) 1  |
|       |  |
|       |  |
|       | (D) 8  |
| 4.9.9 |  |
| 129   |  |
|       | If set A = $\{1, 2, 3\}$ and a relation R = $\{(1, 2), (2, 1)\}$ , the relation R will be      |
|       | (A) reflexive if $(1, 1)$ is added   |
|       | (B) symmetric if $(2, 3)$ is added   |
|       | (C) transitive if $(1, 1)$ is added<br>(D) symmetric if $(2, 2)$ is added                      |
| 130   |  |
| 150   | If set $\Lambda = \{a, b, c\}$ An identity relation in set $\Lambda$ is                        |
|       | $[A] R = \{(a, b), (a, c)\}$   |
|       | $(B) B = \{(a, a), (b, b), (c, c)\}$   |
|       | $(C) R = \{(a, a), (b, b), (c, c), (a, c)\}$   |
|       | $(D) R = \{(c, a), (b, a), (a, a)\}$   |
| 131   |  |
|       | Set A has 3 elements and the set B has 4 elements. Then the number of injective functions that |
|       | can be defined from set A to set B is  |
|       | (A) 144  |
|       | (B) 12   |
|       | (C) 24   |
|       | (D) 64   |
| 132   |  |
|       | The maximum number of equivalence relations on the set A = {1, 2, 3} are                       |
|       | (A) 1  |
|       | (B) 2  |
|       | (C) 3  |
| 133   | (D) 5  |

|      | Given triangles with sides T <sub>1</sub> : 3, 4, 5; T <sub>2</sub> : 5, 12, 13; T <sub>3</sub> : 6, 8, 10; T <sub>4</sub> : 4, 7, 9 and a relation R in  |
|------|---|
|      | set of triangles defined as R = {( $\Delta_1$ , $\Delta_2$ ) : $\Delta_1$ is similar to $\Delta_2$ }. Which trianglesbelong to the same   |
|      | equivalence class?  |
|      | (A) $T_1$ and $T_2$   |
|      | (B) $T_2$ and $T_3$   |
|      | (C) $T_1$ and $T_3$   |
|      | (D) $T_1$ and $T_4$   |
| 134  |   |
|      | Let R be a relation on the set L of lines defined as $R = \{(L_1, L_2): L_1 \text{ is perpendicular to } L_2\}$ then  |
|      | relation R is   |
|      | (A) reflexive and symmetric   |
|      | (B) symmetric and transitive  |
|      | (C) equivalence relation  |
| 135  | (D) symmetric   |
| 155  | If relation P in the set $\{1, 2, 2\}$ given by $P = \{(1, 1), (2, 2), (2, 2), (1, 2), (2, 2)\}$ is   |
|      | $\int \left[ (\Delta) r_{0} r$  |
|      | (B) symmetric   |
|      | (C) transitivo  |
|      | (C) claisitive  |
| 126  |   |
| 150  | $\int \left\{ 1 + 1 - 1 - 2 \right\} = 2 \int \left\{ 1 + 1 - 2 - 2 \right\} = 2 \int \left\{ 1 - 2 \right$ |
|      | Let $A = \{1, 2, 3\}$ and consider the relation $R = \{(1, 1), (2, 2), (3, 3), (1, 2), (2, 3), (1, 3)\}$ . Then R is  |
|      | (A) reflexive but not symmetric   |
|      | (B) reflexive but not transitive  |
|      | (C) symmetric and transitive  |
| 407  | (D) neither symmetric, nor transitive   |
| 137  |   |
|      | Which of the following functions from 2 into 2 are bijective?   |
|      | $(A) T(X) = X^{3}$  |
|      | (B) $f(x) = x + 2$  |
|      | (C) $f(x) = 2x + 1$   |
| 138  | (D) $f(x) = x^2 + 1$  |
|      | The function f : $R \rightarrow R$ defined as f(x) = x <sup>4</sup> then  |
|      | (A) f is one-one onto   |
|      | (B) f is many-one onto  |
|      | (C) f is one-one but not onto   |
|      | (D) f is neither one-one nor onto   |
| 139  |   |
|      | The function f : $R \rightarrow R$ defined as f(x) = 3x then  |
|      | (A) f is one-one onto   |
|      | (B) f is many-one onto  |
|      | (C) f is one-one but not onto   |
| 140  | (D) f is neither one-one nor onto   |
|      | The function $f : R \rightarrow R$ defined as $f(x) =  x $ then   |
|      | (A) f is one-one onto   |
|      | (B) f is many-one onto  |
|      | (C) f is one-one but not onto   |
| 141  | (D) f is neither one-one nor onto   |
| 142  | Let A = R –{3} and B = R–{1}. Consider the function f : A $\rightarrow$ B defined by f(x) = $(\frac{x-2}{x-2})$ Then  |
| ±-7∠ |   |

|       | (A) f is one-one onto  |
|-------|--|
|       | (B) f is many-one onto   |
|       | (C) f is one-one but not onto  |
|       | (D) f is neither one-one nor onto  |
|       |  |
|       | The signum function f : $R \rightarrow R$  |
|       | $\int 1, \text{ if } x > 0$  |
|       | Given function is $f(x) = \begin{cases} 0, & \text{if } x = 0 \end{cases}$                     |
|       | [-1,  if  x < 0]   |
|       | Then f is  |
|       | (A) one-one onto   |
|       | (B) many-one onto  |
|       | (C) one-one but not onto   |
| 143   | (D) neither one-one nor onto   |
|       | If R is a relation from the non –empty set A to a non –empty set B, then                       |
| 144   | R=AUB b) R =AUB c) R =AXBd) R is the subset of AXB   |
|       | let R be the relation defined on NXN by the rule (a,b) R (c,d) implies a+d =b+c, then R is     |
| 1/5   | a) Reflevive b) symmetric c) transitive d) all of these  |
| 145   | The domain of the function $f = J(1, 2) (2, 5) (2, 6)$ lie                                     |
|       |  |
| 146   | a)1.3 and 2 b) {1.3.2} c) {3.5.6} d)3.5 and 6  |
|       | The smallest integer function $f(x)=[x]$ is  |
|       |  |
| 147   | One-one b) many-one c) both d) none of these   |
|       | Let X= { 0,1,2,3} and Y={ -1,0,1,4,9} and a function f:X                                       |
|       |  |
| 148   | a) One-one onto b) one –one into c) many one onto d) many one into                             |
|       | Let X= [-1,0,1], Y= {0,2} and a function f:X $\rightarrow$ Y defined by y=2x <sup>4</sup> ,is  |
|       |  |
| 149   | a) One-one onto b) one –one into c) many one onto d) many one into                             |
|       | The function $f(x)=\sqrt{3}\sin 2x - \cos 2x + 4$ is one-onein the interval                    |
| 150   | a)[- $\pi/2,\pi/2$ ] b)[- $\pi/4,\pi/4$ ] c)[- $\pi/6,\pi/3$ ] d)[- $\pi,\pi$ ]                |
|       | Let R be an equivalence relation on a finite set A having n elements. Then , the number of     |
| 1 - 1 | ordered Pair in R is   |
| 151   | a) $< n$ b) $> or = n$ c) $< or = n$ d) none of these  |
| 152   | a)Reflexive b) symmetric c) Transitive d) none of these  |
| 152   | Let B be the relation on the set of all real numbers defined by aBbiffla-bl $\leq 1$ then B is |
| 153   | a) Reflexive and Transitive b) symmetric only c) Transitive only d) anti symmetric only        |
|       | Which of the following functions is one-one?   |
| 154   | a) $3-x/3+x$ b) $\sqrt{x}$ c) $x^2+1$ d) none of these   |
|       | If $f(x)=x^2-3x+1$ and $f(2k)=2f(k)$ , then k is equal to                                      |
| 155   | a) $\sqrt{2}$ b)- $1/\sqrt{3}$ c) - $1/\sqrt{2}$ or $-1/\sqrt{2}$ d) none of these             |
| 100   | Let f:R $\rightarrow$ R be defined by f(x)= 1/x for all x elements of R, then f is             |
| 156   | a) One-one b) onto c) bijective d) none of these   |
| _     | If a relation R on the set $\{1,2,3\}$ be defined by R= $\{(1,2)\}$ , then R is                |
| 157   | a) Reflexive b) transitive c) symmetric d) none of these                                       |
| 158   | The maximum number of equivalence relations on the set A={1,2,3} are                           |
| -     |  |

ZIET, BHUBANESWAR

|      | a) 1 b) 2 c) 3 d) 5  |
|------|--|
|      | Greatest integer function f(x) = [x] is  |
| 159  | (a) One-one (b) Many-one (c) Both (a) & (b) (d) None of these  |
|      | Which of the following functions from $\mathbb{Z}$ into $\mathbb{Z}$ are bijective?  |
|      | (a) $f(x) = x^3$ (b) $f(x) = x + 2$ (c) $f(x) = 2x + 1$ (d) $f(x) = x^2 + 1$   |
| 1.00 |  |
| 160  | Let The the set of all triangles in the Evolideen plane, and let a relation D on The defined as a Dh   |
|      | Let T be the set of all thangles in the Euclidean plane, and let a relation R on T be defined as aRD if a is congruent to $h \forall a, h \in T$ . Then P is |
|      | (a) reflexive but not transitive relation (b) transitive but not symmetric relation  |
|      | (c) equivalence relation (d) None of these   |
|      |  |
| 161  |  |
|      | Let A = {1, 2, 3} and consider the relation R = {(1, 1), (2, 2), (3, 3), (1, 2), (2, 3), (1, 3)}. Then R is  |
|      | (a) reflexive , transitive but not symmetric (b) reflexive but not transitive  |
|      | (c) symmetric and transitive (d) neither symmetric, nor transitive   |
| 162  |  |
|      | Total number of equivalence relations defined in the set S = {a, b, c} is  |
| 162  | (a) 5 (b) 3! (c) $3^2$ (d) 3   |
| 105  | If $\mathbb{N}$ be the set of all-natural numbers, consider $f: \mathbb{N} \to \mathbb{N}$ such that $f(x) = 2x$ , $\forall x \in \mathbb{N}$ , then f is    |
|      | (a) one-one onto (b) one-one into (c) many-one onto (d) None of these  |
| 164  |  |
|      | If $f(x) + 2f(1 - x) = x^2 + 2 \forall x \in R$ , then $f(x) =$  |
|      | (a) $x^2 - 2$ (b) 1 (c) $(x - 2)^2 / 3$ (d) None of these  |
| 165  |  |
|      | Consider the non-empty set consisting of children is a family and a relation R defined as aRb If a   |
|      | is brother of b. Then R is   |
|      | (a) symmetric but not transitive (b) transitive but not symmetric  |
| 166  | (c) here is symmetric nor transitive (d) both symmetric and transitive   |
| 100  | Let a relation T on the set $\mathbb{R}$ of real numbers be T = {(a, b) : 1 + ab < 0, a, b \in \mathbb{R}}. Then from  |
|      | among the ordered pairs $(1, 1)$ , $(1, 2)$ , $(1, -2)$ , $(2, 2)$ , the only pair that belongs to T is  |
|      | (a) (2, 2) (b) (1, 1) (c) (1, -2) (d) (1, 2)   |
| 167  |  |
|      | Let C = {(a, b): $a^2 + b^2 = 1$ ; a, b $\in$ R} a relation on R, set of real numbers. Then C is   |
|      | (a) Equivalence relation (b) Reflexive (c) Transitive (d) Symmetric  |
| 100  |  |
| 168  | Number of relations that can be defined on the set $\Lambda = \{a, b, a, d\}$ is   |
|      | (a) $2^3$ (b) $4^4$ (c) $4^2$ (d) $2^{16}$   |
| 169  |  |
|      | Which one of the following relations on set of real numbers is an equivalence relation?  |
|      | (a) a R b $\Leftrightarrow$ a $\ge$ b (b) a R b $\Leftrightarrow$  a  =  b  (c) a R b $\Leftrightarrow$ a $>$ b (d) a R b $\Leftrightarrow$ a $<$ b          |
| 170  |  |
|      | R is an equivalent relation on the set A ={1,2,3,4,5} defined by R={(x,y) : $ x - y $ is even}   |
|      | Then find the class[1]   |
|      | (a) {1} (b) {1,3,5} (c) {2,4} (d) {1,3)  |
| 171  |  |

|     | The number of bijective functions from set A to itself when A contains 105 elements is                               |
|-----|--|
|     | (a) 105 (b) (105) <sup>2</sup> (c) 105! (d) 2*105  |
| 172 |  |
|     | Let f: $\mathbb{R} \to \mathbb{R}$ be defined by f(x)=x <sup>4</sup> . Then f(x) will be                             |
|     | (a) one-one onto (b) one-one into (c) many-one onto (d) many-one into  |
| 170 |  |
| 1/3 | The relation B in the set $\begin{pmatrix} 1 & 2 & 2 \\ 2 & 3 & 3 \\ 2 & 3 & 3 \\ 3 & 3 & 3 \\ 3 & 3 & 3 \\ 3 & 3 &$ |
|     | (a) Symmetric and transitive but not reflexive   |
|     | (a) Symmetric and transitive but not transitive  |
|     | (c) Symmetric but neither reflexive nor transitive   |
| 174 | (d) An equivalence relation.   |
|     | The derivation $f(x) = 1$ is a   |
|     | The domain of the function $f(x) = \frac{1}{\sqrt{ x  - x }}$ is :   |
|     | $(2) (-\infty,\infty)$   |
|     | $(a) (-\infty, \infty)$  |
|     | $(\mathbf{b})  (0, \infty)$  |
|     | (c) $(-\infty, 0)$   |
| 175 | (d) $(-\infty,\infty) - \{0\}$   |
|     | Let R be the relation over the set $N \times N$ and is defined by $(a,b)R(c,d) \Longrightarrow a+d=b+c$ . Then R     |
|     | is:  |
|     | (a) Reflexive only   |
|     | (b) Symmetric only<br>(c) Transitive only  |
| 176 | (d) An equivalence relation  |
| 1/0 | Let $A = \{a, b, c\}$ . Then the relation $R = \{(1,3)\}$ in A is :  |
|     | (a) Symmetric only   |
|     | (b) Transitive only  |
|     | (c) Symmetric and transitive only  |
| 177 | (d) None of these.   |
|     | Let L be the set of all straight lines in the Euclidean plane. Two lines $l_1$ and $l_2$ are said to be              |
|     | related by the relation R iff $l_1 \parallel l_2$ . Then the relation R is :   |
|     | (a) Reflexive  |
|     | (b) Symmetric  |
|     | (c) Transitive   |
| 178 | (d) d)Equivalence  |
|     | Let $A = \{a, b, c\}$ . Which of the following is not an equivalence relation in A?                                  |
|     | (a) $R_1 = \{(a,b), (b,c), (a,c), (a,a)\}$   |
|     | (b) $R_2 = \{(c,b), (c,a), (c,c), (b,b)\}$   |
|     | (c) $R_3 = \{(a,a), (b,b), (c,c), (a,b)\}$   |
| 179 | (d) None of these.   |
|     | Let W denote the words in the English dictionary. Define the relation R by   |
|     | $R = \{(x, y) \in W \times W : the words x and y have at least one letter common\}$ . Then R is :                    |
|     | (a) Not reflexive, symmetric and transitive  |
| 100 | (b) reflexive, symmetric and not transitive  |
| 180 | (c) reflexive, symmetric and transitive  |

|     | (d) reflexive, not symmetric and transitive.  |
|-----|---|
|     | The function $f: R \to R$ defined by $f(x) = 2^x + 2^{ x }$ is  |
|     | (a) One one and onto  |
|     | (b) Many-one and onto   |
|     | (c) One-one and into  |
| 181 | (d) None of these.  |
|     | A function $f$ from the set of natural numbers to integers defined by                                   |
|     | $\begin{bmatrix} n-1 & \dots & \dots \end{bmatrix}$   |
|     | $f(n) = \frac{1}{2}$ , when h is odd  |
|     | $f(n) = \begin{cases} -n \\ -n \end{cases}$ IS  |
|     | $\left({2}\right)$ , when his even  |
|     | (a) Neither one-one nor onto  |
|     | (b) One-one but not onto  |
|     | (c) One-one and onto both   |
| 182 | (d) Onto but not one-one  |
|     | Which of the following functions from Z to itself is bijection  |
|     | (a) $f(x) = x^3$  |
|     | (b) $f(x) = x + 2$  |
|     | (c) $f(x) = 2x + 1$   |
|     | (d) $f(x) = x^2 + 2$  |
| 183 | $(\alpha) f(\alpha) + 2$  |
| 105 | $a^{ x } - a^{-x}$  |
|     | Let function $f: R \to R$ defined by $f(x) = \frac{e^{-e}}{e^{x} + e^{-x}}$ . Then                      |
|     | e + e   |
|     | (b) $f$ is a bijection<br>(b) $f$ is an injection only  |
|     | (b) $f$ is a surjection only  |
|     | (c) f is a surjection only  |
| 184 | (d) f is neither an injection nor a surjection.   |
|     | If the set A contains 5 elements and the set B contains 6 elements, then the number of one-one          |
|     | and onto mappings from A to B is  |
|     | (a) 720<br>(b) 130  |
|     |   |
| 185 | (c) 0<br>(d) None of these  |
| 105 | $\left(2r \text{ if } r > 2\right)$   |
|     | 2x, y x > 3   |
|     | Let $f: R \to R$ be defined as $f \{x^2, if 1 < x \le 3\}$ , then the value of $f(-1) + f(2) + f(4)$ is |
|     | $3x, if x \leq 1$   |
|     | (a) 9   |
|     | (b) 14  |
|     | (c) 5   |
| 186 | (d) None of these.  |
|     | If $f:[2,\infty) \to X$ is defined by $f(x) = 4x - x^2$ . Then f is invertible if $X =$                 |
|     | (a) $[2,\infty)$  |
|     | (b) $(-\infty,2]$   |
|     | (c) $(-\infty 4]$   |
| 107 | (0) (-0) (1)  |
| 100 | $(v)$ $[+, \infty)$   |
| 198 | Let The the set of all triangle in the plane, and let a relation on T is defined as aRb if a is         |

ZIET, BHUBANESWAR

|     | congruent to $b orall a, b \in T$ . Then R is  |
|-----|---|
|     | (A)reflexive but not transitive   |
|     | (B)transitive but not symmetric   |
|     | (C) equivalence relation  |
|     | (D)None of these  |
|     | Consider the non- empty set consisting of children in a family and a relation R define as aRb if a is                         |
|     | sister of b . then R is   |
|     | (A) Symmetric but not Transitive  |
|     | (B) Transitive but not symmetric  |
|     | (C) neither symmetric nor transitive  |
| 189 | (D) both symmetric and transitive   |
|     |   |
|     | If a relation R on a set $\{1,2,3,4\}$ be defined by R $\{(1,2)\}$ , then R is  |
|     | (A) reflexive   |
|     | (B) Transitive  |
|     | (C) symmetric   |
| 190 | (D) none of these   |
|     | Let a Relation R is defined in R as aRb if $a \ge b$ . Then R is  |
|     | (A) an equivalence relation   |
|     | (B)reflexive, transitive but not symmetric  |
|     | (C)symmetric, transitive but not reflexive  |
| 191 | (D)neither transitive nor reflexive but symmetric   |
|     | Let A= $\{1, 2, 3\}$ and consider the relation R= $\{(1, 1), (2, 2), (3, 3), (1, 2), (2, 3), (1, 3)\}$ . Then R is            |
|     | (A)reflexive but not symmetric  |
|     | (B) reflexive but not transitive  |
|     | (C) symmetric and transitive  |
| 192 | (D) neither symmetric nor transitive  |
|     | The function $f: A \rightarrow B$ defined by $f(X) = 4x+7$ , $x \in R$ is   |
|     | (A) one-one   |
|     | (B) Many one  |
|     | (C) odd   |
| 193 | (D) Even  |
|     | The Smallest Integer function $f(x) = \lfloor x \rfloor$ is   |
| 194 | (A) one-one(B) many one(C) both (A) and (B)(D) none of these  |
|     | If f: $R \to R$ , g: $R \to R$ and h: $R \to R$ is such that f(X)= x <sup>2</sup> , g(x) = tan(x) and h(x) = log(x), then the |
|     | value of h o(gof) (x) if $x = \frac{\sqrt{\Pi}}{2}$ will be   |
|     | value of thought (x), if $x = \frac{1}{2}$ with be  |
| 195 | (A)0(B)1(C)-1(D)10  |
|     | If $f(x) = \frac{(3x+2)}{1}$ , then (fof)(x) is   |
|     | (5x-3)  |
| 196 | (A) $x(B) - x(C) f(x)(D) - f(x)$  |
|     | Which of the following functions from Z to Z are bijective ?  |
| 197 | (A) $f(x) = x^{3}(B) f(x) = x+2(C) f(x) = 2x+1(D) f(x) = x^{2}+1$   |
|     | Let f: $R - \left(\frac{3}{2}\right) \rightarrow R$ be defined by $f(x) = \frac{3x+2}{2}$ . Then                              |
|     | $(5)$ $7x^{-3}$ $5x^{-3}$   |
|     | $(\Delta) f^{-1}(x) - f(x)(B) f^{-1}(x) - f(x)(C) (fof)x - y(D) f^{-1}(x) - \frac{1}{2} f(x)$                                 |
| 198 | $\frac{1}{19}$  |

|      | Which one of the following functions is not invertible ?   |
|------|--|
|      | (A) $f: R \to R, f(x) = 3x+1$  |
|      | (B) $f: R \to [0, \infty), f(x) = x^2$   |
|      | (C) $f: R^+ \to R^+, f(x) = \frac{1}{r^2}$   |
| 199  | (D)none of these   |
|      | If f : R $\rightarrow$ R defined by f(x) = $\frac{2x-7}{1}$ is an invertible function, then find f <sup>-1</sup>   |
|      | $\frac{1}{4}$  |
| 200  | (A) $\frac{4x+5}{2}$ (B) $\frac{4x+7}{2}$ (C) $\frac{3x+2}{2}$ (D) $\frac{9x+3}{5}$  |
| 200  | 2 $2$ $2$ $3$  |
|      | symmetric but not transitive is  |
| 201  | (a) 1 (b) 2 (c) 3 (d) 4  |
| 201  | Let $f: R \rightarrow R$ be defined as $f(x) = 3x$ , then f is   |
|      | (a) one-one onto (b) Many one onto (c) One - one but not onto (d) Neither one-one  |
| 202  | nor onto   |
|      | The function $f: R \rightarrow R$ defined as $f(x) = x^2 + 2$ is   |
| 203  | (a) one-one (b) onto (c) One - one but not onto (d) Neither one-one nor onto   |
|      | If R is a relation on the set A = {a,b,c} given by $R = \{(a,a), (b,b), (c,c)\}$ , then R is(a) Reflexive  |
| 204  | only (b) Symmetric only (c) Transitive only (d) equivalence  |
|      | Let R be a relation on N defined as $x + 4y = 21$ , the domain of R is   |
| 205  | (a) {1,5,9,13,17} (b) {4,8,12,16} (c) {1,3,5,7,9} (d) {1,5,9,13}   |
|      | The relation R in $N \times N$ defined by $(a,b)R(c,d) \Leftrightarrow a+d=b+c$ is   |
|      | Reflexive but not symmetric (b) Reflexive but not transitive (c) Reflexive and transitive but  |
| 206  | not symmetric (d) Equivalence relation   |
|      | Let $f: R \to R$ be defined by $f(x) = \frac{1}{x} \forall x \in R$ , then $f$ is  |
| 207  | (a) one- one but not onto (b) onto but not one - one (c) Bijective (d) Not defined   |
|      | Let A ={ 1,2,3} and consider the relation $R = \{(1,1), (2,2), (3,3), (2,3), (1,3)\}$ , then R is  |
|      | (a) Reflexive but not symmetric (b) reflexive but not transitive (c) symmetric and transitive  |
| 208  | (d) Neither symmetric nor transitive   |
|      | The set of all elements related to 1 in the set $\{x \in \mathbb{Z} : 0 \le x \le 12\}$ , where relation R is defined by   |
|      | $R = \{(a,b):  a-b  \text{ is a multiple of 4} \}$ is  |
| 209  | (a) {2,4,6} (b) {1,5,9} (c) {1,7,12} (d) None of the above   |
|      | Let R be the equivalence relation in the set A = { 0,1,2,3,4,5} given by $R = \{(a,b): 2 \text{ divides } a-b\}$   |
| 24.0 | }, then the equivalence class {0} is   |
| 210  | (a) $\{3,5\}$ (b) $\{1,2\}$ (c) $\{2,4\}$ (d) $\{1,3\}$  |
|      | The function $f: R \to R$ given by $f(x) = \cos x$ , $x \in R$ is  |
| 211  | nor onto   |
| 211  | If $A = \{a, b, c\}$ then the number of equivalence relation is  |
| 212  | (a) 1 (b) 5 (c) 3 (d) 2  |
|      | If $R = \{(x, y) : x^2 + y^2 = 4, x, y \in Z\}$ is a relation of Z, then the domain of R is  |
| 213  | (a) {0,1,2} (b) {-2,-1,0,1,2} (c) {-2,-1,1,2} (d) { 1,2}   |
|      | The function $f: P(2) \rightarrow P(1)$ given by $f(x) = \frac{x-2}{x-2}$  |
| 214  | $\prod_{i=1}^{n} \prod_{j=1}^{n} \prod_{i=1}^{n} \prod_{j=1}^{n} \prod_{j$ |

|     | ( a) one- one but not onto ( b) onto but not one-one ( c) bijective ( d) neither one –one   |
|-----|---|
|     | nor onto  |
|     | The function $f: R \to R$ given by $f(x) = x - [x]$ is  |
|     | ( a) one- one but not onto ( b) onto but not one-one ( c) bijective ( d) neither one –one   |
| 215 | nor onto  |
|     | Let f:R $\rightarrow$ R be defined by f(x) = $\frac{1}{x}$ , $\forall x \in$ R then f is-   |
|     | (a) one-one (b) onto  |
| 216 | (c) bijective (d) f is not defined  |
|     | $\begin{pmatrix} 2x, & x > 3 \\ 2x, & x > 3 \end{pmatrix}$  |
|     | Let f:R $\rightarrow$ R be defined by $f(x) = \{x^2, 1 < x \leq 3 \text{ then } f(-1)+f(2)+f(4) \text{ is} \}$  |
|     | $(3x, x \le 1)$   |
| 217 | (a) = (b) = (b) = (c) |
| 217 | Let R be a relation on the set N of natural numbers defined by n R m if n divides m then R is-  |
|     | (a) Reflexive and symmetric   |
|     | (b) Transitive and symmetric.   |
|     | (c) Equivalence.  |
| 218 | (d) Reflexive. transitive but not symmetric.  |
|     | Consider the set A = $\{1, 2, 3\}$ & R be the smallest equivalence relation an A, then R is equal to  |
|     | (a) {(1, 1), (2, 2)}  |
|     | (b) $\{(1, 1), (2, 2), (3 3)\}$   |
|     | (c) {(1, 1), (2, 2), (3, 3), (1, 2), (2, 1)}  |
| 219 | (d) None of these   |
|     | If A = {a, b, c, d} and f = {(a, b), (b, d), (c, a), (d, c)} then <i>f</i> is   |
|     | (a) onto but not one-one  |
|     | (b) one-one but not onto  |
|     | (c) one-one onto  |
| 220 | (d) many one onto   |
|     | Which of the following functions from z to z are bijections?  |
|     | (a) $f(x) = x^3$ (b) $f(x) = x+2$   |
| 221 | (c) $f(x) = 2x+1$ (d) $f(x) = x^2+1$  |
|     | Set A has 3 elements and the set B has 4 elements. Then the number of injective mappings  |
|     | that can be defined from A to B is-   |
| 222 | (a) 144 (b) 12  |
| 222 | (c) 24 (u) 04<br>Let A = $\{1, 2, 3\}$ and consider the relation  |
|     | $R = \{1, 2, 3\}$ and consider the relation<br>$R = \{1, 1\}$ (2, 2) (3, 3) (1, 2) (2, 3) (1, 3)} then R is   |
|     | (a) reflexive but not symmetric (b) reflexive but not transitive  |
| 223 | (c) symmetric and transitive (d) neither symmetric nor transitive   |
|     | If R denotes the set of all real numbers then the function f: $R \rightarrow R$ defined by f (x) =  x  is   |
|     | (a) one-one only (b) onto only  |
| 224 | (c) bijective (d) neither one- one nor onto   |
|     | Let f : R $\rightarrow$ R be defined by f (x) = x <sup>2</sup> + 1 then pre-image of 17 and – 3, respectively, are  |
|     | (a) φ, {4, - 4 } (b) { 3, - 3}φ   |
| 225 | (c) $\{4, -4\}, \phi$ (d) $\{4, -4\}, \{2, -2\}$  |
|     | Let T be the set of all triangles in the Euclidean plane, and let a relation R on T be defined as   |
|     | a R b if a is congruent to b  |
|     | $\forall$ a, b $\in$ T. then R is   |
| 226 | (a) reflexive but not transitive  |

|     | (b) transitive but not symmetric   |
|-----|--|
|     | (c) equivalence  |
|     | (d) none of these  |
|     | The relation R={( <i>x</i> , <i>x</i> <sup>3</sup> ): <i>x</i> is a prime number less than 7} in roster form is- |
|     | (a) {(2, 8), (3, 27), (5, 125), (7, 343)}  |
|     | (b) {(2, 8), (3, 27)}  |
|     | (c) {(2, 8), (3, 27), (5, 125)}  |
| 227 | (d) None of these  |
|     | The range of the function $y = \frac{1}{2-\sin 3x}$ is   |
|     | (a) $\left(\frac{1}{3}, 1\right)$ (b) $\left[\frac{1}{3}, 1\right)$  |
| 228 | (c) $\begin{bmatrix} \frac{1}{3}, 1 \end{bmatrix}$ (d) None of these   |
|     | Let A={x, y, z} and B={1, 2}, then the number of relations from A to B is  |
|     | (a) 32 (b) 64  |
| 229 | (c) 128 (d) 8  |
|     | Let N be the set of all natural numbers and the function $f : N \rightarrow N$ be defined by f (n) = 2n + 3,     |
|     | $\forall n \in N$ . then f is  |
|     | (a) surjective (b) Injective   |
| 230 | (c) bijective (d) none of these  |

## **ANSWERS**

| QUESTION<br>NUMBER | ANSWER |
|--------------------|--------|--------------------|--------|--------------------|--------|--------------------|--------|--------------------|--------|
| 1                  | А      | 51                 | D      | 101                | С      | 151                | В      | 201                | А      |
| 2                  | С      | 52                 | В      | 102                | В      | 152                | В      | 202                | А      |
| 3                  | В      | 53                 | А      | 103                | D      | 153                | А      | 203                | D      |
| 4                  | В      | 54                 | D      | 104                | D      | 154                | С      | 204                | D      |
| 5                  | С      | 55                 | В      | 105                | D      | 155                | С      | 205                | А      |
| 6                  | D      | 56                 | D      | 106                | А      | 156                | D      | 206                | D      |
| 7                  | С      | 57                 | D      | 107                | В      | 157                | В      | 207                | D      |
| 8                  | D      | 58                 | В      | 108                | А      | 158                | D      | 208                | А      |
| 9                  | В      | 59                 | В      | 109                | В      | 159                | В      | 209                | В      |
| 10                 | D      | 60                 | А      | 110                | С      | 160                | В      | 210                | С      |
| 11                 | D      | 61                 | С      | 111                | В      | 161                | С      | 211                | D      |
| 12                 | В      | 62                 | D      | 112                | С      | 162                | А      | 212                | В      |
| 13                 | D      | 63                 | С      | 113                | В      | 163                | А      | 213                | В      |
| 14                 | А      | 64                 | В      | 114                | С      | 164                | В      | 214                | С      |
| 15                 | В      | 65                 | D      | 115                | В      | 165                | С      | 215                | D      |
| 16                 | А      | 66                 | D      | 116                | А      | 166                | В      | 216                | А      |
| 17                 | А      | 67                 | D      | 117                | А      | 167                | С      | 217                | А      |
| 18                 | С      | 68                 | С      | 118                | С      | 168                | D      | 218                | D      |
| 19                 | С      | 69                 | В      | 119                | D      | 169                | D      | 219                | В      |
| 20                 | С      | 70                 | А      | 120                | В      | 170                | В      | 220                | С      |
| 21                 | D      | 71                 | В      | 121                | D      | 171                | А      | 221                | В      |
| 22                 | D      | 72                 | D      | 122                | A      | 172                | С      | 222                | С      |
| 23                 | В      | 73                 | В      | 123                | А      | 173                | D      | 223                | А      |
| 24                 | С      | 74                 | А      | 124                | D      | 174                | А      | 224                | D      |

| 25 | В | 75  | D | 125 | C | 175 | С | 225 | С |
|----|---|-----|---|-----|---|-----|---|-----|---|
| 26 | В | 76  | А | 126 | D | 176 | D | 226 | С |
| 27 | C | 77  | D | 127 | D | 177 | В | 227 | С |
| 28 | А | 78  | D | 128 | D | 178 | D | 228 | С |
| 29 | А | 79  | С | 129 | С | 179 | D | 229 | В |
| 30 | С | 80  | В | 130 | С | 180 | В | 230 | В |
| 31 | В | 81  | С | 131 | В | 181 | С |     |   |
| 32 | В | 82  | А | 132 | С | 182 | С |     |   |
| 33 | А | 83  | В | 133 | D | 183 | В |     |   |
| 34 | В | 84  | А | 134 | С | 184 | D |     |   |
| 35 | D | 85  | А | 135 | D | 185 | С |     |   |
| 36 | В | 86  | А | 136 | А | 186 | А |     |   |
| 37 | С | 87  | D | 137 | А | 187 | С |     |   |
| 38 | D | 88  | D | 138 | В | 188 | С |     |   |
| 39 | А | 89  | В | 139 | D | 189 | В |     |   |
| 40 | С | 90  | А | 140 | А | 190 | В |     |   |
| 41 | D | 91  | С | 141 | D | 191 | В |     |   |
| 42 | В | 92  | D | 142 | А | 192 | А |     |   |
| 43 | А | 93  | D | 143 | D | 193 | А |     |   |
| 44 | А | 94  | В | 144 | D | 194 | В |     |   |
| 45 | С | 95  | С | 145 | D | 195 | А |     |   |
| 46 | А | 96  | D | 146 | В | 196 | А |     |   |
| 47 | В | 97  | А | 147 | В | 197 | В |     |   |
| 48 | A | 98  | D | 148 | В | 198 | A |     |   |
| 49 | C | 99  | В | 149 | C | 199 | D |     |   |
| 50 | C | 100 | A | 150 | C | 200 | В |     |   |

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